

Syntax Directed Definition (SDD) :-

→ Semantic Analysis phase & ICG phase uses SDD's.

→ SDD is context Free Grammar with Semantic Rules and attributes

$$\boxed{SDD = CFG + \text{semantic Rules}}$$

→ SDD is also called as "attribute grammar"

→ Attributes are associated with grammar symbols and semantic Rules are associated with productions.

→ If 'x' is a symbol and 'a' is one of attribute then x.a denotes value at node 'x'.

→ Attributes may be numbers, string, data types & references etc

Eg

production

Semantic Rules.

$$E \rightarrow E + T$$

$$E.val = E.val + T.val \quad (\text{Here } E \rightarrow \text{ is grammatical symbol})$$

$$E \rightarrow T$$

$$E.val = T.val \quad \text{val} \rightarrow \text{is attribute of } E$$

$$D \rightarrow TL$$

$$L.inh = T.type$$

→ Semantic Rules have two notations. (i) SDD (ii) SDT

Types of attribute :-

(i) Synthesized Attribute :- If a node takes value from its children node then it is called as synthesized attribute.

$$\begin{aligned} \text{Eg: } A \rightarrow BCD \quad & A \cdot S = B \cdot S \\ & A \cdot S = C \cdot S \\ & A \cdot S = D \cdot S \end{aligned}$$

$A \rightarrow$  is synthesized attribute.  
 parent node takes value from child nodes  
 $A \rightarrow$  be a parent node  
 $B, C, D \rightarrow$  are children node.

(ii) Inherited Attributes :- If a node takes value from its sibling or Parent then it is called as inherited attributes.

production

Semantic Rules

Eg

$$\text{Eg: } A \rightarrow BCD \rightarrow C \text{ is inherited attribute}$$

$$C.i = A.i \rightarrow \text{Here } C \text{ is taking value from its parent } A.$$

$$C.i = B.i \rightarrow C \text{ is taking value from its sibling } B.$$

$$C.i = D.i \rightarrow C \text{ is taking value from its sibling } D.$$

Eg:-

Production

Semantic Rules

$$L \rightarrow E_n$$

$$E.val = E.val$$

$$E \rightarrow E_1 + T$$

$$E.val = E_1.val + T.val$$

$$E \rightarrow T$$

$$E.val = T.val$$

$$T \rightarrow T_1 * F$$

$$T.val = T_1.val * F.val$$

$$T \rightarrow F$$

$$T.val = F.val$$

$$F \rightarrow (E)$$

$$F.val = E.val$$

$$F \rightarrow \text{digit}$$

$$F.val = \text{digit.lexval}$$

Fig: SPP for a simple desk calculator

Evaluating an SPP at Nodes of parse tree:-

Annotated parse trees

→ A parse tree which contains values at each node is known as annotated parse tree.

→ A parse tree is constructed in order to evaluate the attribute value at each node of parse tree.

→ If an attribute is synthesized.

- 1st evaluate the val attribute at all the children node.
- evaluate the value attribute at parent node.
- synthesized attributes, attributes are evaluated in bottom-up manner.

Production

$$A \rightarrow B$$

Semantic Rules

$$A.s = B.i$$

$$B.i = A.s + 1$$

These rules are circular, it is impossible to evaluate A.s without first evaluating B.i at some node.

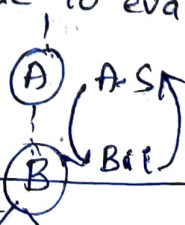
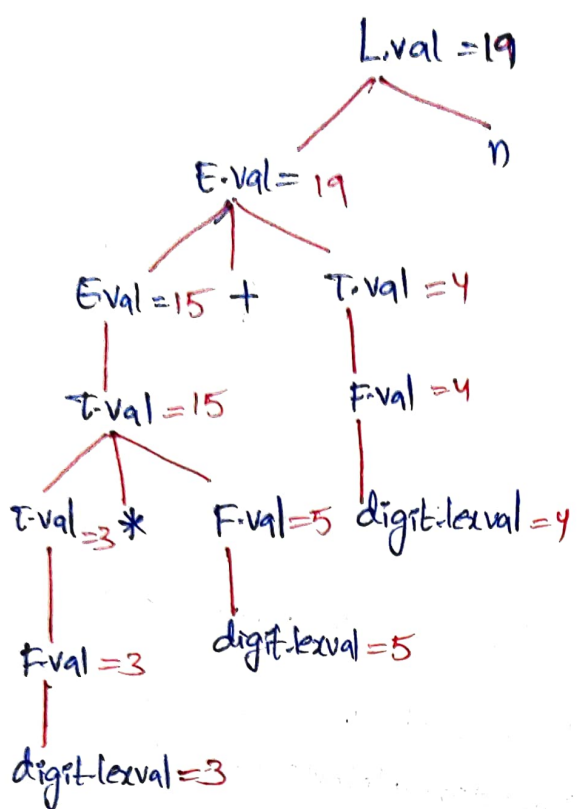


Fig: The circular dependency of A.s and B.i on one another



Construct an SDD for simple basic calculator grammars and construct parse tree for  $3 * 5 + 4n$ .



Grammars

production	semantic Rule
$L \rightarrow \epsilon n$	$L.val = E.val$
$E \rightarrow E + T$	$E.val = E.val + T.val$
$E \rightarrow T$	$E.val = T.val$
$T \rightarrow T_1 * F$	$T.val = T_1.val * F.val$
$T \rightarrow F$	$T.val = F.val$
$F \rightarrow (E)$	$F.val = E.val$
$F \rightarrow digit$	$F.val = digit.lexval$

Fig: SDD for simple basic calculator

eg2: construct annotated parse tree for  $2 + 3 * 4$ .

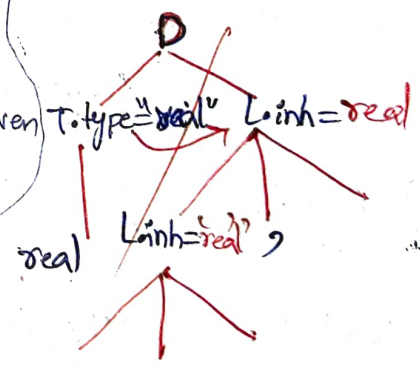
Fig: Annotated parse tree for  $3 * 5 + 4n$

↳ Annotated parse tree contains values at each node.  
 ↳ To construct annotated parse tree, we have to perform top-down left to right traversing, if there is reduction execute corresponding action.

eg2: production semantic Rules

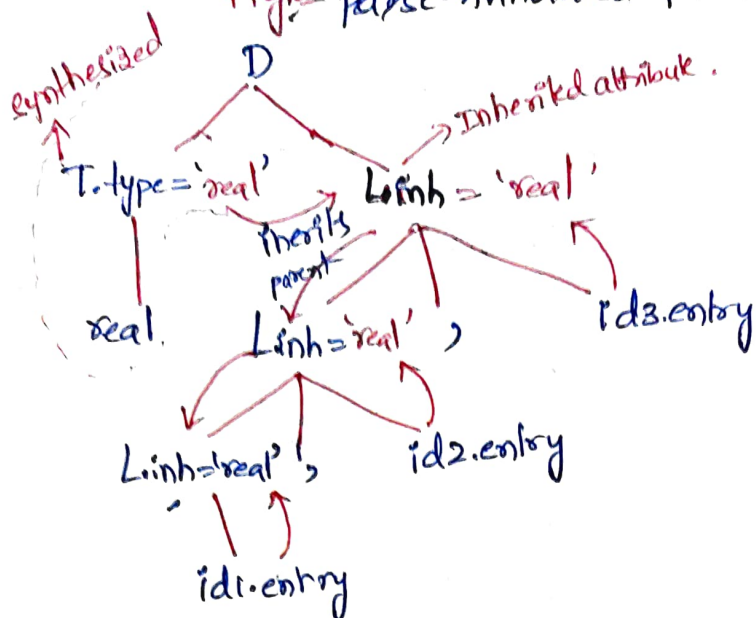
- $D \rightarrow TL$   $L.inh = T.type \rightarrow$  list in heretic type T.
- $T \rightarrow int$   $T.type = "integer"$
- $T \rightarrow real$   $T.type = "real"$
- $L \rightarrow L, id$   $L.inh = L.inh \rightarrow$  here id needs to be given T.type.
- $L \rightarrow id$   $addtype(id.entry, L.inh)$

parse tree:



↳ In dependency graph we have an edges directed edges

Fig: parse-Annotated parse tree for  $id_1, id_2, id_3$



② Evaluating order SDD's :-

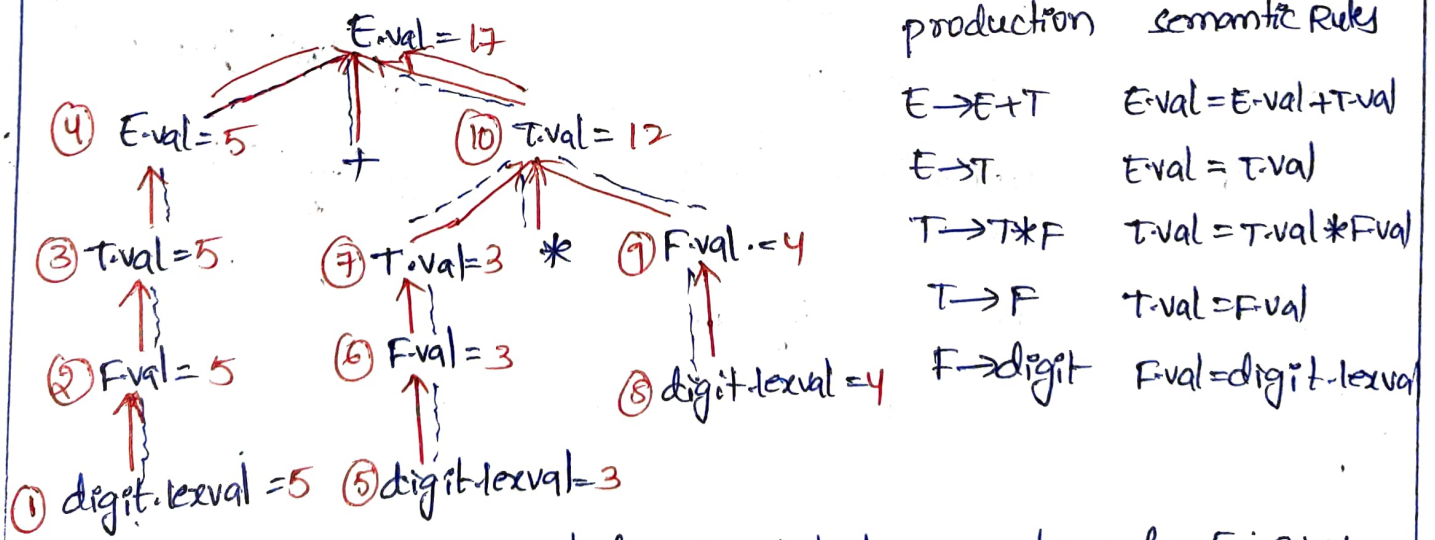
→ Dependency graph is used to determine an evaluation order for the attribute given

Dependency Graph :-  $\rightarrow$  A directed graph that represents the interdependency b/w synthesized and inherited attribute at node in the parse tree

→ Dependency Graph represents the flow of information among the attributes in parse tree.

→ used to determine the evaluation order for attribute in a parse tree. (which semantic action should execute first)

→ An Annotated parse tree shows the value of attributes, a dependency graph determines how those values can be computed.

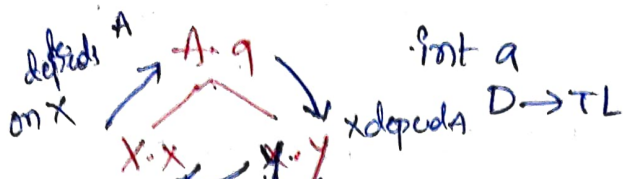


production	semantic Rules
$E \rightarrow E+T$	$E.val = E.val + T.val$
$E \rightarrow T$	$E.val = T.val$
$T \rightarrow T * F$	$T.val = T.val * F.val$
$T \rightarrow F$	$T.val = F.val$
$F \rightarrow digit$	$F.val = digit.lexval$

Fig: - Dependency graph for - Annotated parse tree for  $5 + 3 * 4$



→ Edges in dependency graph show the interdependency b/w synthesized & inherited attributes at nodes in its parse tree.



$D \rightarrow \text{int } a$

→ Dependency graphs cannot be cyclic

Eg:

→ In DG there is a edge towards the dependent node to originating node.

Production	Semantic Rules
$T \rightarrow FT$	$T.inh = F.val$ $T.val = T.syn$
$TL \rightarrow *FT$	$TL.inh = TL.inh * F.val$ $TL.syn = T.syn$
$T \rightarrow \epsilon$	$T.syn = T.inh$
$F \rightarrow \text{digit}$	$F.val = \text{digit}.eval$

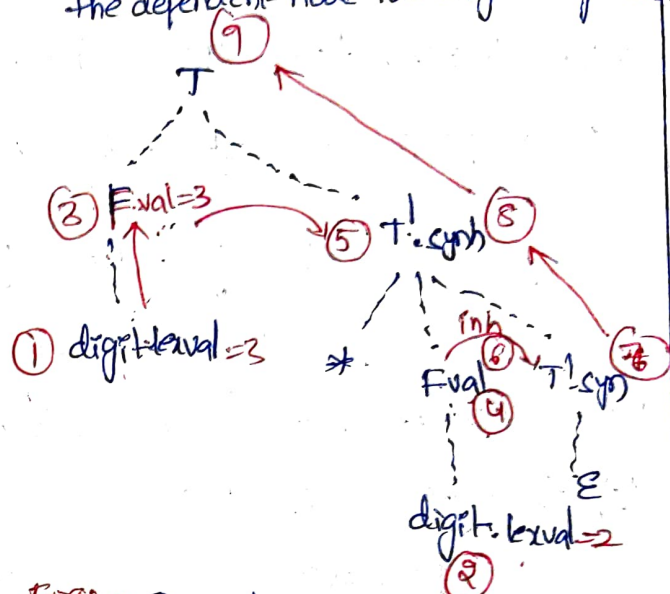
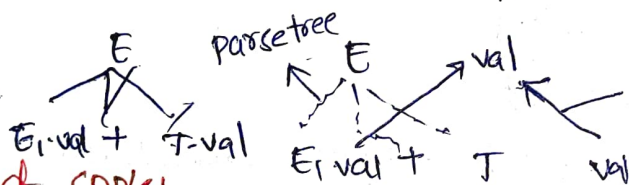


Fig: = Dependency graph for 3\*5

Production	Semantic Rule
$E \rightarrow E+T$	$E.val = E.val + T.val$



Solid line → Dependency  
--- line → parse tree

Types of SDDs:-

S-Attributed Definition:- Fig: = E.val is synthesized from E.val and T.val.

\* A SDD that use only synthesized attributes is called as S-Attributed SDD.

Eg:  $A \rightarrow BCD$   
 $A.S = B.S$   
 $A.S = C.S$   
 $A.S = D.S$

Production	Semantic Rules
$L \rightarrow \epsilon$	$L.val = \epsilon$
$E \rightarrow E+T$	$E.val = E.val + T.val$
$E \rightarrow T$	$E.val = T.val$
$T \rightarrow T * F$	$T.val = T.val * F.val$
$T \rightarrow F$	$T.val = F.val$
$F \rightarrow (E)$	$F.val = E.val$
$F \rightarrow \text{digit}$	$F.val = \text{digit}.eval$

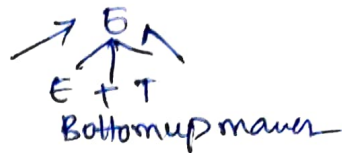
Eg: = SDD for S-Attributed Definition

\* Semantic actions are placed at the end of the production.

Eg: =  $E \rightarrow E+T$  {  $E.val = E.val + T.val$  }

→ It is also called as postfix "SDD"

→ Attributes are evaluated with Bottom-up parsing



L-Attributed SDD

\* A SDD that use both synthesis attributes & Inherited attributes is called as L-Attributed SDD.

\* In L-Attributed SDD, Inherited attribute is restricted to inherit from parent & left sibling only.

Eg:  $A \rightarrow XYZ \{ y.s = A.s, y.s = x.s, y.s = z.x \}$  production semantic action

\* semantic actions are placed anywhere on R.H.S. Eg:  $E \rightarrow E+T \{ E \rightarrow T \}$

\* evaluated attributes are evaluated by traversing parse tree depth first, left to right order

Production

Semantic Rules

$D \rightarrow TL$

$L.inh = T.type$

$T \rightarrow int$

$T.type = integer$

$T \rightarrow float$

$T.type = float$

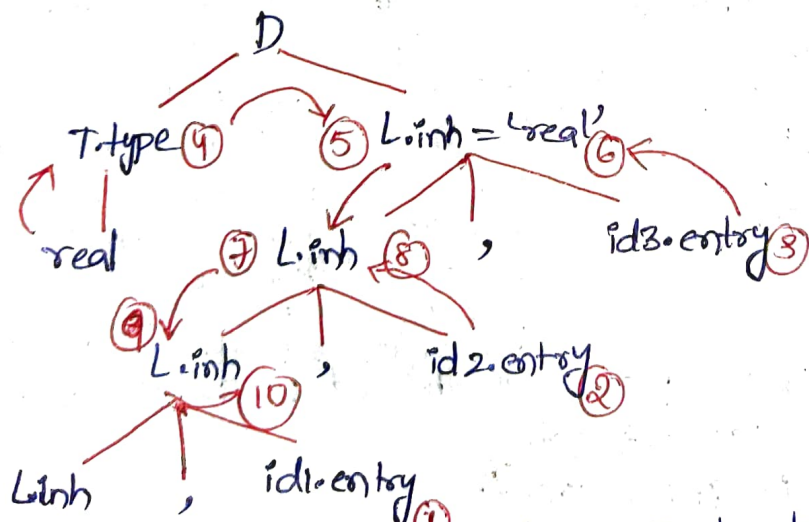
$L \rightarrow L, id$

$L.inh = L.inh.addtype(id.entry, L.inh)$

$L \rightarrow id$

$L.inh = addtype(id.entry, L.inh)$

Eg: SDD for simple type declaration for L-Attributed SDD



Eg: Dependency graph for a declaration  $float id_1, id_2, id_3$



③ Application of syntax directed translation:-

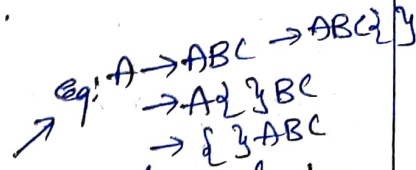
Syntax Directed Translation (SDT):-

↳ SDT is a CFG together with semantic actions.

↳ Semantic actions are enclosed in " { " , " } "

↳ Semantic actions are placed at any where on RHS of productions

↳ semantic actions specifies in which order the expression is executed.



eg 1:- production semantic action  
 $A \rightarrow B + C$  { printf ('+') ; }

eg 2:- production semantic action  
 $E \rightarrow E + T$  { printf ('+') ; } ①  
 $E \rightarrow T$  { } ②  
 $E \rightarrow T * F$  { printf ('\*') ; } ③  
 $T \rightarrow F$  { } ④  
 $F \rightarrow num$  { printf (num.val) ; } ⑤

eg 2:- production semantic action  
 $E \rightarrow E + T$  { E.val = E.val + T.val } ①  
 $T$  { T.val = T.val }  
 $F \rightarrow T * F$  { T.val = T.val \* F.val }  
 $F$  { F.val = F.val }  
 $T \rightarrow num$  { E.val = num.val }  
 2+3\*4

Fig 1:- SDT for evaluation of expression.

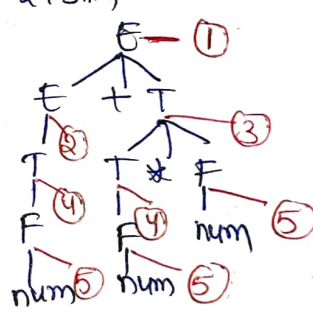


Fig 1:- SDT

Applications of SDT:-

Construction of syntax tree:-

→ syntax tree is an intermediate representation

→ The nodes in syntax tree is implemented by objects with suitable no. of fields

→ Each field will have an op-field that is the label of the node.

We can construct the syntax tree by using the following functions.

- (1) mknode (op, left, right)
- (2) mkleaf (id, entry to symbol table)
- (3) mkleaf (num, value)

→ If the node is leaf, an additional field hold the lexical value for the leaf

leaf (op, val) - create leaf object

→ If Node is an operator, create an object with first field. op and k additional for the k children  $C_1 \dots C_k$

Ex = Construct the syntax tree for the following grammar for the expression  $x * y - 5 + 3$ .

Step 1 = Construct SDD for the given grammar

production	Semantic Rule
$E \rightarrow E_1 + T$	$E \cdot node = mknode (+, E_1 \cdot node, T \cdot node)$ (a) $E \cdot node = newleaf (+, E_1 \cdot node, T \cdot node)$
$E \rightarrow E_1 - T$	$E \cdot node = mknode (-, E_1 \cdot node, T \cdot node)$
$E \rightarrow T$	$E \cdot node = T \cdot node$
$T \rightarrow (E)$	$T \cdot node = E \cdot node$
$T \rightarrow id$	$T \cdot node = mkleaf (id, id \cdot entry)$ (b) $T \cdot node = newleaf (id, id \cdot entry)$
$T \rightarrow num$	$T \cdot node = mkleaf (num, num \cdot val)$

Step 2 =

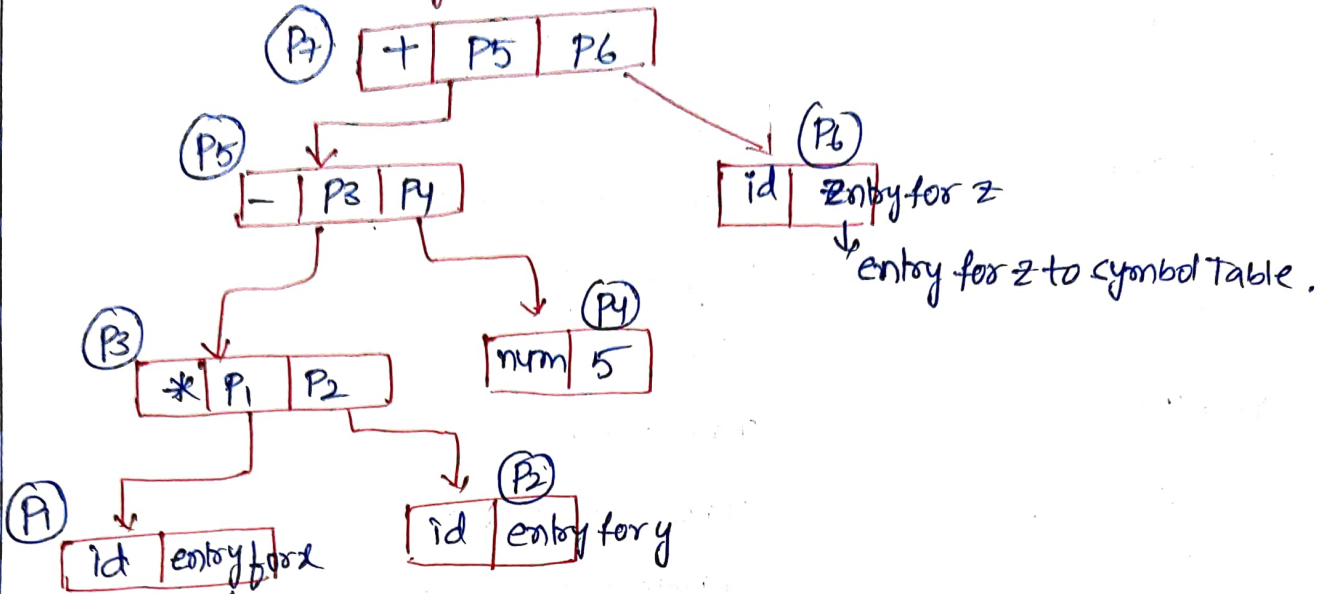
symbol	operation
x	$P_1 = mkleaf (id, entry - x)$
y	$P_2 = mkleaf (id, entry - y)$
*	$P_3 = mknode (*, P_1, P_2)$
5	$P_4 = mkleaf (num, 5)$
-	$P_5 = mknode (-, P_3, P_4)$



$\exists$   $P_6 = \text{mkleaf}(\text{id}, \text{entry}-z)$

$+$   $P_7 = \text{mknole}('-', P_5, P_6)$

Step 3 := construct the syntax tree.



Eg 2 := a - 4 + c

symbol operation

a  $P_1 = \text{mkleaf}(\text{id}, \text{entry}-a)$

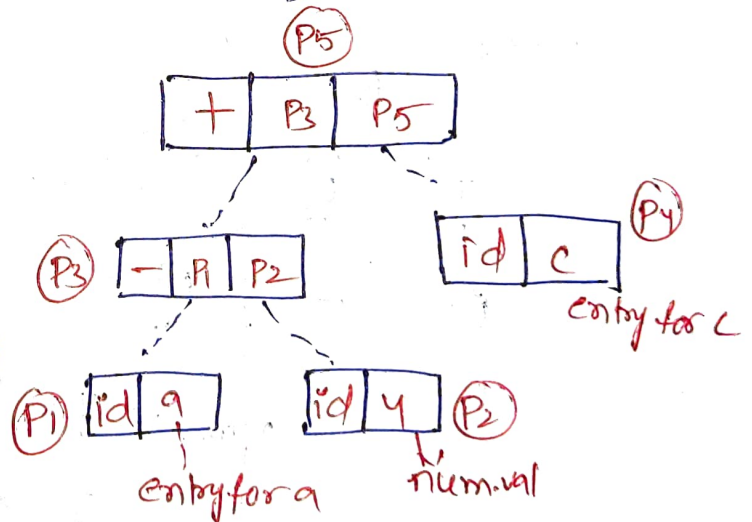
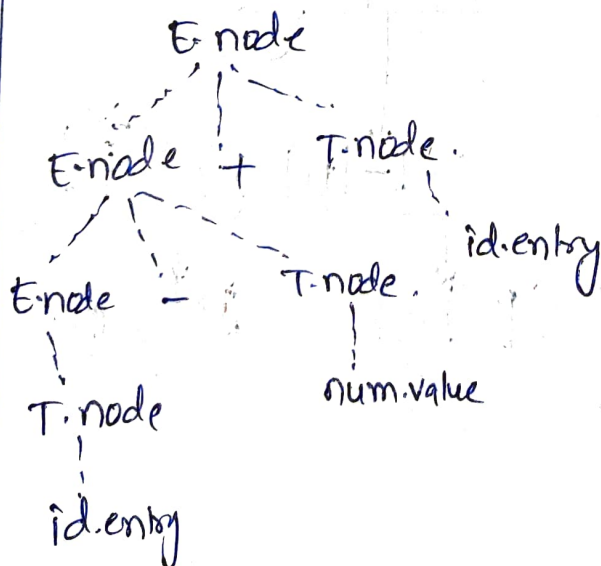
4  $P_2 = \text{mkleaf}(\text{num}, 4)$

-  $P_3 = \text{mknole}('-', P_1, P_2)$

c  $P_4 = \text{mkleaf}(\text{id}, \text{entry}-c)$

$+$   $P_5 = \text{mknole}('+', P_3, P_4)$

Constructing syntax tree :=



Eg 3! = production

Semantic Rules

$$E \rightarrow TE'$$

$$E \cdot node = E \cdot syn$$

$$E \rightarrow +TE'$$

$$E \cdot inh = T \cdot node$$

$$E' \cdot inh = newnode(+', E' \cdot inh, T \cdot node)$$

$$E' \rightarrow -TE'$$

$$E' \cdot syn = E \cdot syn$$

$$E' \cdot inh = newnode('-', E' \cdot inh, T \cdot node)$$

$$E' \rightarrow \epsilon$$

$$E' \cdot syn = E' \cdot syn$$

$$T \rightarrow (E)$$

$$E' \cdot syn = E' \cdot inh$$

$$T \rightarrow id$$

$$T \cdot node = E \cdot node$$

$$T \rightarrow num$$

$$T \cdot node = newleaf(id, id \cdot entry)$$

$$T \cdot node = newleaf(num, num \cdot val)$$

Eg 1! = a - 4 + c

symbol      operation

a       $P_1 = mleaf(id, entry-a)$

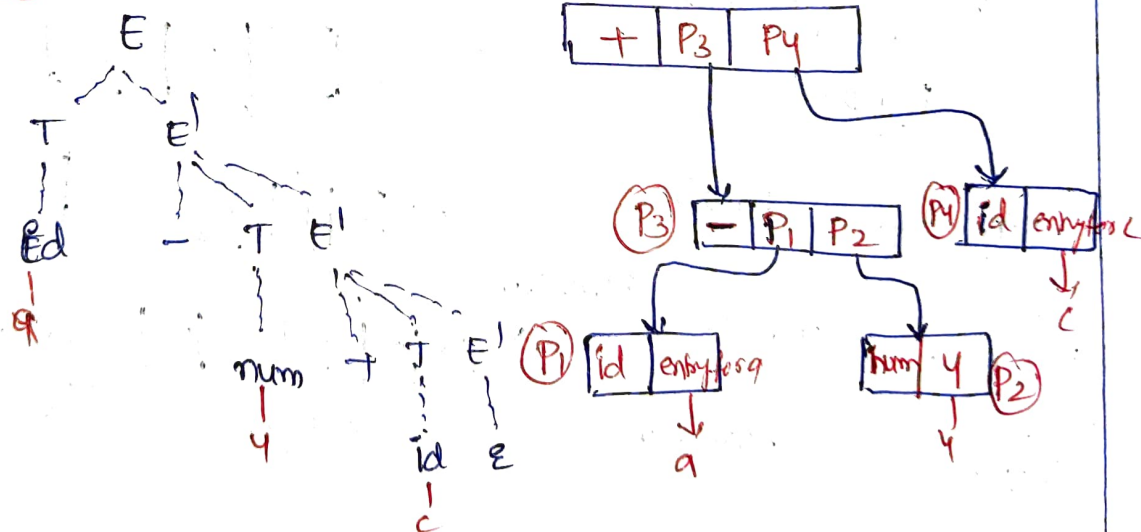
4       $P_2 = mleaf(num, 4)$

-       $P_3 = mnode('-', P_1, P_2)$

c       $P_4 = mleaf(id, entry-c)$

+       $P_5 = mnode('+', P_3, P_4)$

Syntax tree:





Syntax-directed translation schemas:-

- ⑤ Syntax-directed translation schemas:-
- A SDT is a context free Grammar combined with semantic actions.
  - semantic actions are also called as program-fragments.
  - semantic actions are embedded with production body.
  - Any SDT can be implemented by constructing parse-tree and then performing the actions in a left-to-right depth-first order.

SDT's are used to implement two important classes of SDD's

- 1) The underlying grammar is LR-parable, & the SDD is LR-attributed
- 2) The underlying grammar is LL-parable, and the SDD is L-attributed.

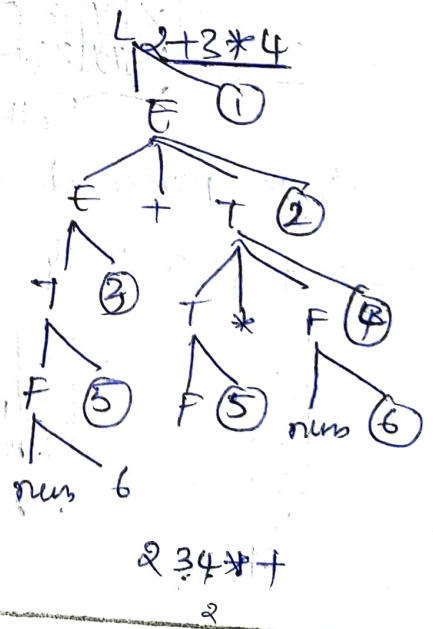
Postfix translation schemas:-

- It is used to convert infix expression to postfix expression
- Infix expression - operators appears b/w operands
- postfix expression - operators appears after the operands.

Eg:-

Production	Semantic actions
$L \rightarrow E_n$	{ print (Lval); } ①
$E \rightarrow E+T$	{ print ('+'); } ②
$E \rightarrow T$	{ } ③
$E \rightarrow T * F$	{ print ('*'); } ④
$T \rightarrow F$	{ } ⑤
$F \rightarrow \text{num}$	{ print (numval); } ⑥

Fig:- SDT for desc calculator



2nd method to convert the postfix infix expression to postfix expression

Eg:  $E \rightarrow E+T / T$  for  $= 1+2+3$   
 $T \rightarrow \text{num}$

= (here we are having only operation, so that we need check the left recursion in the grammar)

→ if Grammar contains left recursion we need to convert the to eliminate left recursion from the grammar

production SDT  
 $E \rightarrow E+T$  {print+( '+' );}  
 $E \rightarrow T$  { }  
 $T \rightarrow \text{num}$  {print num-value}

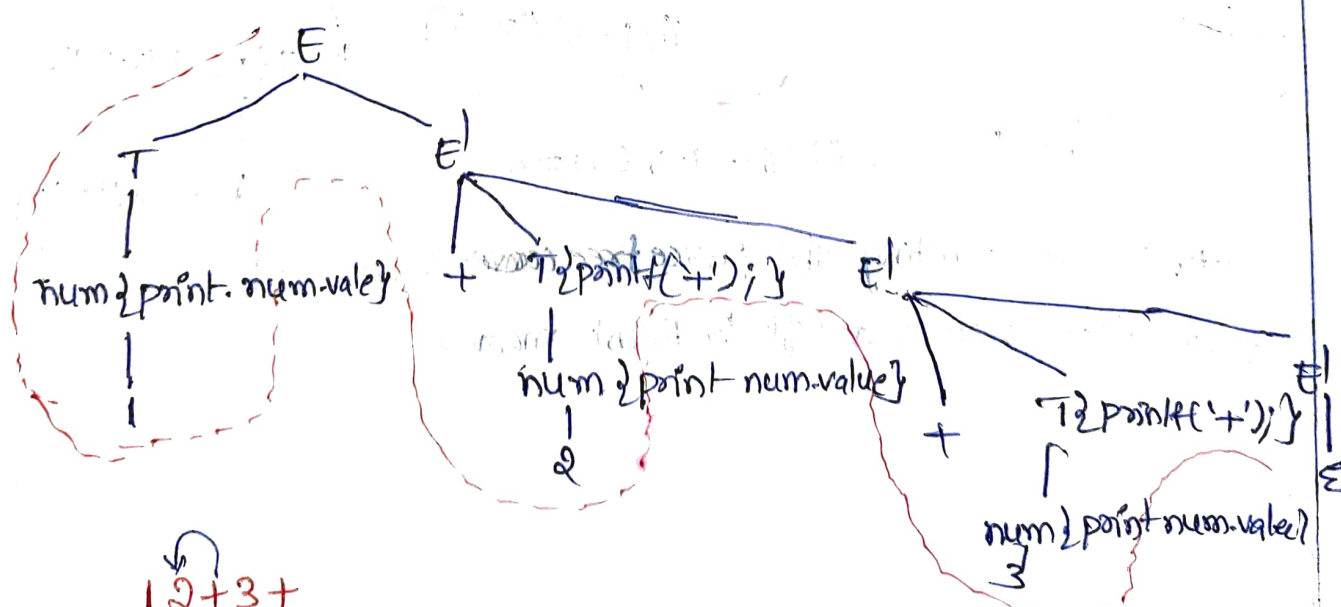
SDT for given grammar

so, the given Grammar contains left recursion

$E \rightarrow E+T / T$   $E \rightarrow E+T$  {print+( '+' );} /  $T$   
 $A \rightarrow A \alpha$  /  $B$   
 $T \rightarrow \text{num}$

$A \rightarrow A\alpha / B$   
 $A \rightarrow BA'$   
 $A \rightarrow \alpha A' / \epsilon$

The grammar after eliminating the left recursion  
 $E \rightarrow TE'$   
 $E' \rightarrow +T \{ \text{print+( '+' ); } \} E'$   
 $E' \rightarrow \epsilon$   
 $T \rightarrow \text{num} \{ \text{print num-value} \}$



1 2 + 3 +  
 $(1+2)+3 \Rightarrow 6$



Ex) = Give translation scheme that convert infix expr to postfix expression for the following grammars and also generate annotated parse for input string 2+6+1

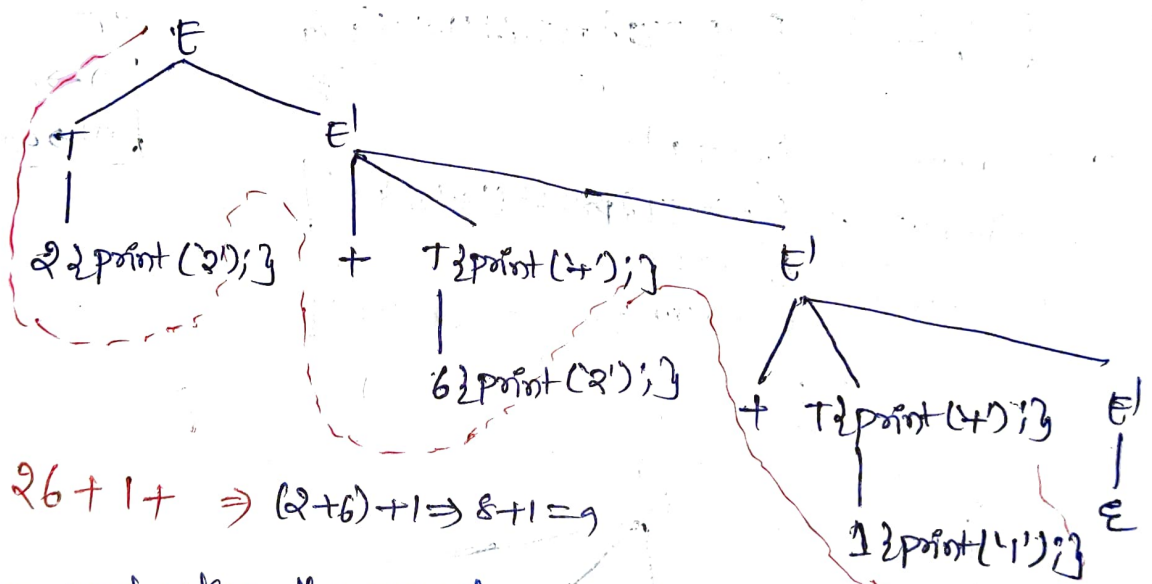
Grammar  $\rightarrow E \rightarrow E+T \{ \text{print}('+' ) \} / T$   
 $T \rightarrow 0 \mid 1 \mid 2 \mid \dots \mid 9$  (it contains left recursion)

$A \rightarrow A\alpha \mid B$   
 $B \Rightarrow A$   
 $A \rightarrow BA$   
 $A \rightarrow \alpha A \mid \epsilon$

$E \rightarrow TE'$   
 $E' \rightarrow +T \{ \text{print}('+' ) \} E'$   
 $E' \rightarrow \epsilon$   
 $T \rightarrow 0 \{ \text{print}('0' ) \} \epsilon$   
 $T \rightarrow 1 \{ \text{print}('1' ) \} \epsilon$   
 $T \rightarrow 2 \{ \text{print}('2' ) \} \epsilon$   
 $T \rightarrow 6 \{ \text{print}('6' ) \} \epsilon$   
 $T \rightarrow 9 \{ \text{print}('9' ) \} \epsilon$

The Grammar after eliminating left-recursion

Fig: SDT to convert infix to postfix infix  $\Rightarrow$  postfix  
 Annotated parse tree = The given i/p string 2+6+1  $\Rightarrow$  26+1+



$26+1+ \Rightarrow (2+6)+1 \Rightarrow 8+1 = 9$

$\rightarrow$  After constructing the parse tree, traverse the parse from top-down and left to right manner

$$L \rightarrow \epsilon_n \quad \{ \text{print}(E.\text{val}); \}$$

$$E \rightarrow E + T \quad \{ E.\text{val} = E_1.\text{val} + T.\text{val}; \}$$

$$E \rightarrow T \quad \{ E.\text{val} = T.\text{val}; \}$$

$$T \rightarrow T_1 * F \quad \{ T.\text{val} = T_1.\text{val} * F.\text{val}; \}$$

$$T \rightarrow F \quad \{ T.\text{val} = F.\text{val}; \}$$

$$F \rightarrow (E) \quad \{ F.\text{val} = E.\text{val}; \}$$

$$F \rightarrow \text{digit} \quad \{ F.\text{val} = \text{digit}.\text{lexval}; \}$$

Fig 1 = postfix SDT implementing the desc calculator

parser - stack implementation of postfix SDT's :=

- postfix SDT's can be implemented during LR parsing by executing the actions when the reductions occur.
- The grammar symbols of each grammar =  $\epsilon$
- The attributes of each grammar symbols can be placed in stack during the parsing.
- The parser stack contain records with fields for a grammar symbol.

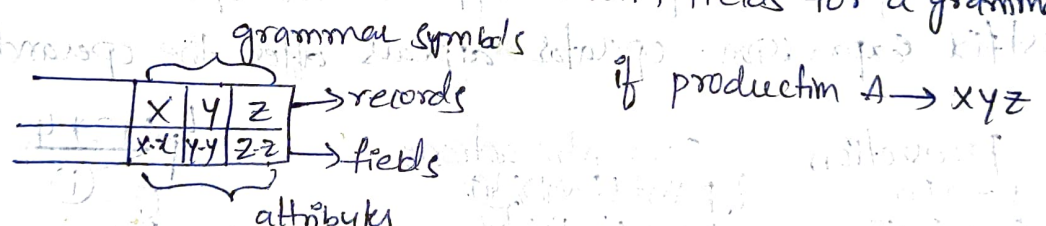
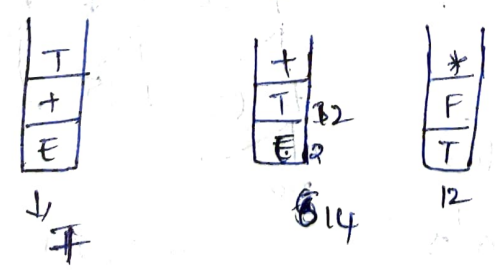


Fig 2 = parser stack with a field for synthesized attributes

Q.  $E \rightarrow E + T \quad \{ \text{print}(+) \};$  &  $E \rightarrow E * T$       $2 + 3 * 4$



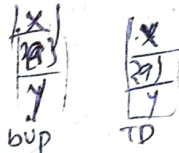
production	Actions.
$L \rightarrow E_n$	{ print (stack[top-1], val); top = top - 1
$E \rightarrow E + T$	{ stack[top+2].val = stack[top-2].val + stack[top].val; top = top - 2; }
$E \rightarrow T$	
$T \rightarrow T_1 * F$	{ stack[top-2].val = stack[top-2].val * stack[top].val; top = top - 2; }
$T \rightarrow F$	
$F \rightarrow (E)$	{ stack[top-2].val = stack[top-1].val; top = top - 2; }
$F \rightarrow \text{digit}$	

Fig:- Implementing the decal calculator on bottomup-parsing stack.

SOT's with actions inside productions:-

→ an actions may be placed at any position ~~at~~ right within the body of production.

eg:-  $B \rightarrow x \{ a \} y$ .



The action "a" is executes after recognizing the "x"

- If the parse is bottom-up then we perform action "a" when "x" is appears on the top of the stack.
- If the parse is top-down, we perform a just before expanding the "y"



Any SDT can be implemented as follows.

- 1) Ignoring the actions, parse the i/p & produce a parse tree as a result.
- 2) examine each node and add additional node for corresponding action
- 3) perform the preorder traversal of the tree, and as soon as a node is labeled by action is visited, perform that action.

b

eg - parse tree for expression  $3 * 5 + 4$  with actions inserted  
 we get if we visit the nodes in preorder, we get the prefix form of expression  $+ * 3 5 4$

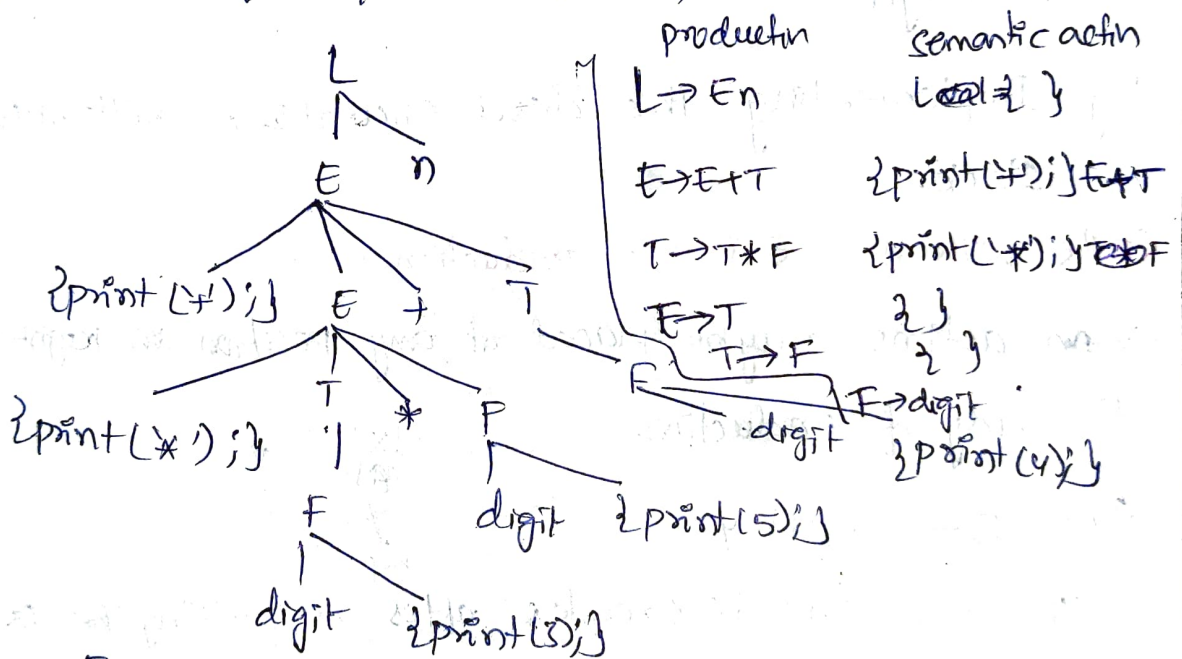


Fig: parse tree with actions embedded.

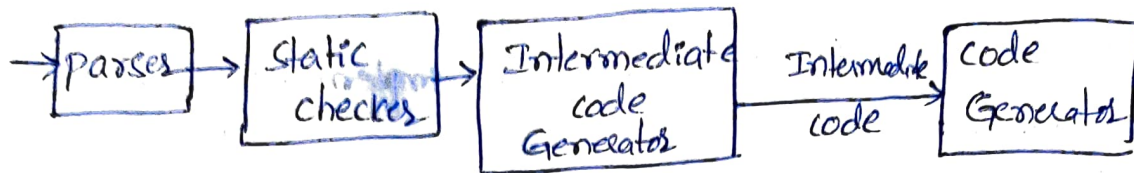
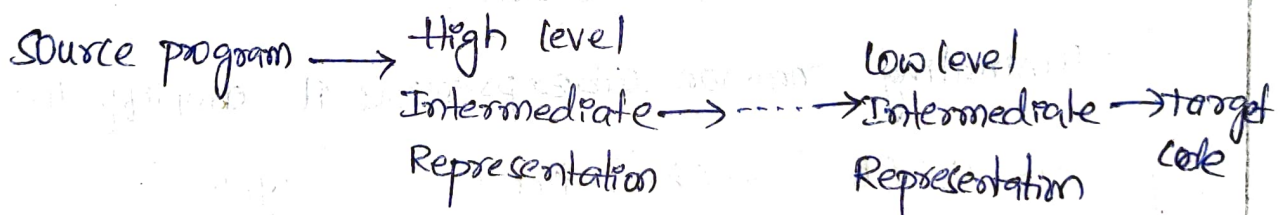


Fig:- Logical structure of a compiler Frontend.

- Intermediate code is used to translate the source code into the machine-code.
- In the above figure parsing, static checking and Intermediate-code generation are done sequentially.
- Static type checking includes type checking, which ensures that operators are applied to compatible operand.
- ICG receives from its predecessor phase & semantic analyzer phase
- It takes i/p in the form of an annotated syntax tree.
- In process of translating a source program into target code compiler may construct a sequence of intermediate representation



- Syntax trees are high level representation
- A low level representation is suitable for machine-dependent tasks like register allocation and instruction selection.

7) Variants of syntax trees =

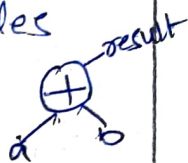
Directed Acyclic Graph (DAG) for Expressions =

→ DAG is a data structure used for implementing transformations on basic blocks.

→ DAG nodes in

→ DAG represent the structure of a basic block.

- In DAG internal nodes represent <sup>operator</sup> and leaf nodes represent identifiers, constants.



- Internal nodes represent the result of expression

→ The only difference b/w syntax tree and DAG is, in DAG a node has more than one parent.

Applications of DAG =

- \* Determining the common subexpression.
- \* Determining which names are used inside the block and computed outside, the block.
- Determining which statement of the block could have their computed value outside the block.
- <sup>By</sup> Eliminating common subexpressions it simplify the code.

Eg =  $a + a * (b - c) + (b - c) * d$

Syntax tree

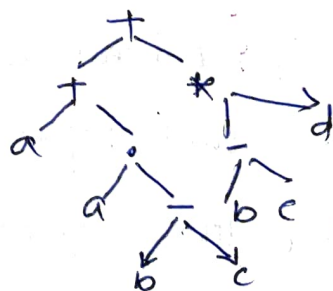
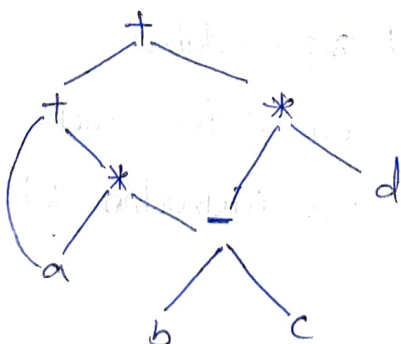


Fig = DAG for expression  $a + a * (b - c) + (b - c) * d$

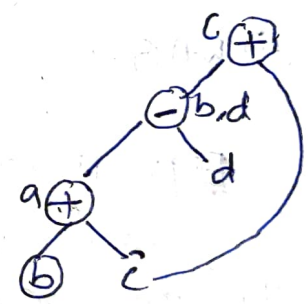


production	Semantic Rules
$E \rightarrow E + T$	$E\text{-node} = \text{new Node}('+', E_1.\text{node}, T.\text{node})$
$E \rightarrow E_1 - T$	$E.\text{node} = \text{new Node}('-', E_1.\text{node}, T.\text{node})$
$E \rightarrow T$	$E.\text{node} = T.\text{node}$
$T \rightarrow (E)$	$T.\text{node} = E.\text{node}$
$T \rightarrow \text{id}$	$T.\text{node} = \text{new leaf}(\text{id}, \text{id}.\text{entry})$
$T \rightarrow \text{num}$	$T.\text{node} = \text{new leaf}(\text{num}, \text{num}.\text{val})$

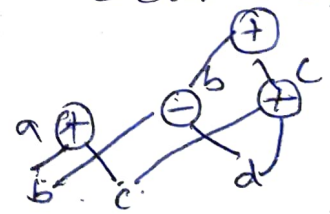
Fig 1 := SDD to produce syntax tree & DAG's

- 1)  $P_1 = \text{leaf}(\text{id}, \text{entry}-a)$
- $P_2 = \text{leaf}(\text{id}, \text{entry}-a) = P_1$
- $P_3 = \text{leaf}(\text{id}, \text{entry}-b)$
- $P_4 = \text{leaf}(\text{id}, \text{entry}-c)$
- $P_5 = \text{Node}('-', P_3, P_4)$
- $P_6 = \text{Node}('*', P_1, P_5)$
- $P_7 = \text{Node}('+', P_1, P_6)$
- $P_8 = \text{leaf}(\text{id}, \text{entry}-b) = P_3$
- $P_9 = \text{leaf}(\text{id}, \text{entry}-c) = P_4$
- $P_{10} = \text{Node}('-', P_3, P_4) = P_5$
- $P_{11} = \text{leaf}(\text{id}, \text{entry}-d)$
- $P_{12} = \text{Node}('*', P_5, P_{11})$
- $P_{13} = \text{Node}('+', P_7, P_{12})$

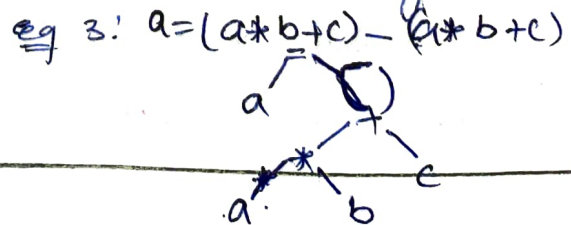
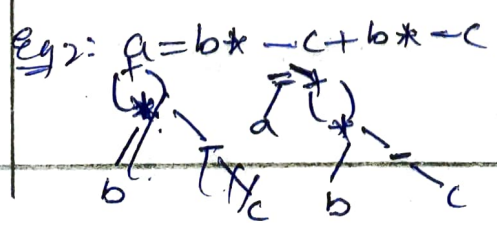
Eq 2 := construct DAG for  
 $1 a = b + c$   
 $2 c = b + c$   
 $3 b = a - d$   
 $4 d = a - b$



Eq 3 :=  $1 a = b + c$   
 $2 b = b - d$   
 $3 c = c + d$   
 $4 e = b + c$



The value number Fig: steps for constructing the DAG.



The value numbers method for constructing DAG's:

- Nodes of syntax tree or DAG are stored in array of records.
- Each row of array represent one record.(node)
- In each record first field is operation code, indicating the label of the node.
- leaves has ~~the leaves~~ one additional field which holds the lexical value.
- Interior nodes have two additional field indicating left and right children.

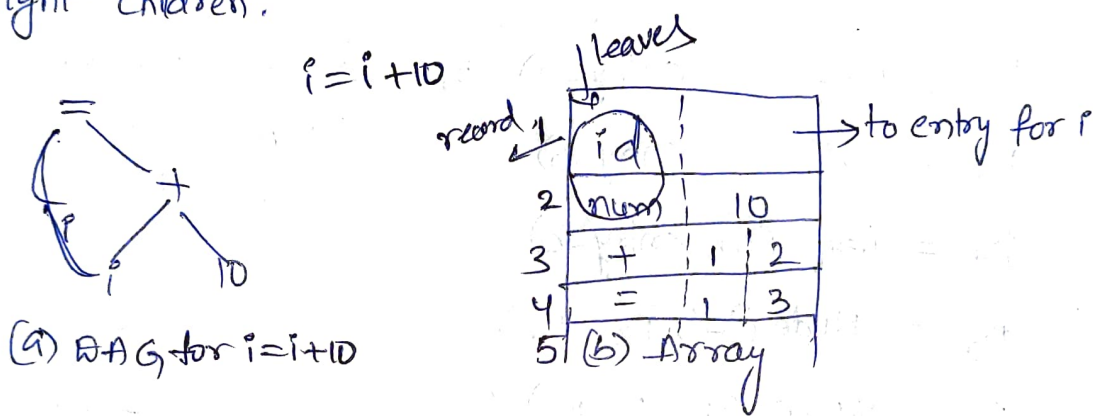


Fig 1 = Nodes of a DAG for  $i = i + 10$  allocated in an array.

- The array index is used for reference a node rather than a pointer
- Initially the array is empty.
- First it searches for  $\langle op, lexical \rangle$ , if it is not there, we will make new record and so on.
- if already, record is present, it is just used for further records
- In the array, we refer to node by giving integer index of the record, for that node within the array this integer is called 'value number'.  $\langle op, \text{value-num of left}, \text{value-num of right} \rangle$  is also called as signature of node

Drawbacks -

- Search options: It takes time for every New/Old record to search.
- To overcome this we are using hash-functions, in which the nodes are put into "buckets" (hash table)
  - These buckets have only few nodes.
  - hashtable is a data structure that support the dictionaries.
  - Dictionaries are used to insert & delete elements of a set.
  - Dictionaries are used to determine whether a given element is currently in the set. this is done
  - It search the elements in less time and independent of the size of set.

To construct a has table for node.. of a DAG, use hash function "h" is used that computes the index of bucket.

→ ~~has~~ The bucket index  $h \in \{0, 1, \dots, m-1\}$

→ bucket can be implemented as linked list.

→ An array indexed by has value, hold the bucket headers, each of which point to first cell of list

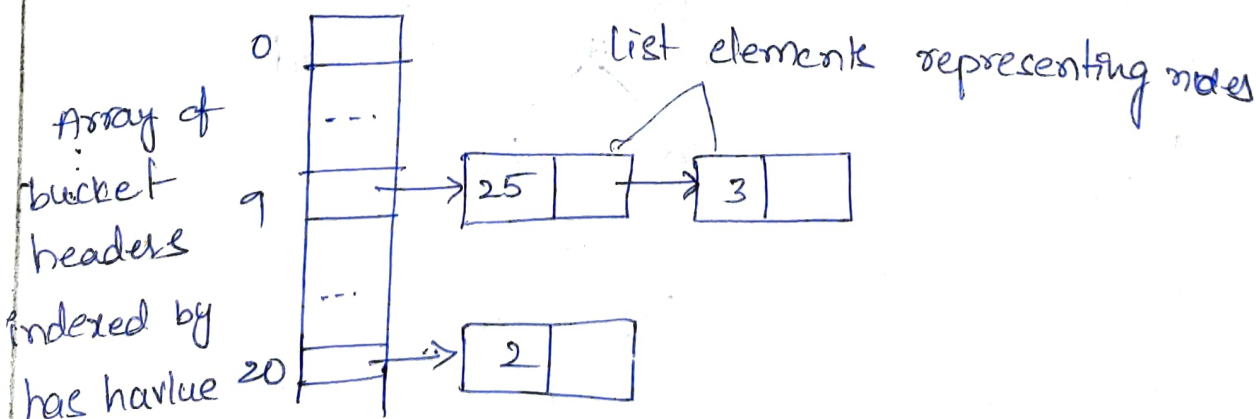


Fig: data structure for searching buckets



3-Address code:-

Intermediate code is three types

- ① syntax tree representation
- ② post-fix Notation
- ③ Three Address code.

In three-address code

- ① Each Instruction should contain atmost 3 addresses
- ② Each Instruction should contain 1 operator on R.H.S.

eg. = source language expression  $x+y*z$  is converted into sequence of 3-address instructions.

$$t_1 = y * z$$

$$t_2 = x + t_1$$

$t_1, t_2 \rightarrow$  compiler generated temporary variables.

$\rightarrow$  3-address code is linearized representation of syntax tree or DAG

$$\text{eg.} := a + a * (b - c) + (b - c) * d$$

$$t_1 = b - c$$

$$t_2 = a * t_1$$

$$t_3 = a + t_2$$

$$t_4 = t_1 * d$$

$$t_5 = t_3 + t_4$$

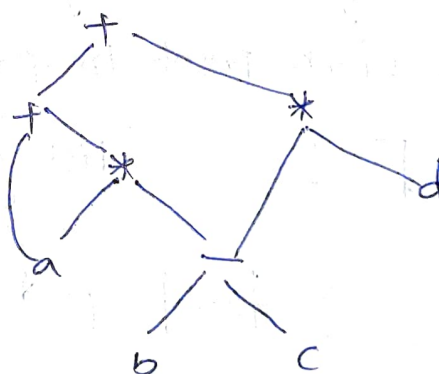


Fig.(b) := DAG

Fig.(a) Three address code

$\rightarrow$  Three-address code is represented in 3-way

- ① Quadruple
- ② Triple
- ③ Indirect Triple

# Addresses and Instructions:-

→ 3-address code can be implemented by using records with fields for the addresses  
 → records are called quadruples and triples.

The address can be one of the following:

- A name → (Source program names are addresses in 3-address code and names are replaced by pointer to its symbol table entry)
- A constant -
- compiler generated temporary variables.

## List of the common three-address instruction forms:-

(i) Assignment instruction →  $x = y \text{ op } z$ , where  $x, y, z$  - addresses  
 (ii) unary operation →  $x = \text{op } y$  where  $\text{op}$  - is unary operation ( $-, \wedge$ )

(iii) copy instruction →  $x = y$

(iv) unconditional jump → goto L

(v) conditional jump → if x goto L  
 → if false x goto 'L'.  
 → if  $x \text{ relop } y$  goto L

(vi) procedure call →  $y = \text{call } P, n$   
 return y

$P$  → is the address of starting of line of procedure P  
 $n$  → argument address.  
 $y$  <sup>takes</sup> → return value

(vii) Indexed copy instruction →  $x = y[i]$  }  $x, y, i$  are the variables.  
 $x[i] = y$  {

(viii) Address and pointer assignment  $x = \&y$   
 $x = *y$   
 $*x = y$

Quadruples :-

3-address code is implemented as objects (or) records with fields for the operators and operands.

→ Quadruple has 4-fields (i) op (ii) arg1 (iii) arg2 (iv) result.

eg: \* instruction like  $x=y$  &  $x=-y$  do not use arg2

\* operator like param use neither arg2 nor result

\* conditional & unconditional jumps put the target label in result.

eg :-  $a = b * -c + b * -c$

$$t_1 = -c$$

$$t_2 = b * t_1$$

$$t_3 = -c$$

$$t_4 = b * t_3$$

$$t_5 = t_2 + t_4$$

$$a = t_5$$

(a) Three address code

	op	arg1	arg2	result
(0)	-	c		t <sub>1</sub>
(1)	*	b	t <sub>1</sub>	t <sub>2</sub>
(2)	-	c		t <sub>3</sub>
(3)	*	b	t <sub>3</sub>	t <sub>4</sub>
(4)	+	t <sub>2</sub>	t <sub>4</sub>	t <sub>5</sub>
(5)	=	t <sub>5</sub>		a

(b) Quadruples

→ The disadvantage of quadruples is too many temporary variables are needed, it requires more amount of memory.

→ In order to overcome we are using Triples.

Triples :- Triples has only three fields (1) op (2) arg1 (3) arg2



Eq:  $a = b * -c + b * -c$

$t_1 = -c$   
 $t_2 = b * t_1$   
 $t_3 = -c$   
 $t_4 = b * t_3$   
 $t_5 = t_2 + t_4$

	OP	Arg1	Arg2
(0)	-	c	
(1)	*	b	(0)
(2)	-	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
5	=	a	(4)

(b) Triples representation of  $a = b * -c + b * -c$

→ using triples we refer results of an operation by its position, rather than by an explicit temporary variable.

Indirect Triples:-

Indirect triples consist of listing of pointers to triples, rather than a listing of triples themselves.

→ with triples the result of an operation is referred to by its position, so moving an instruction may require us to change all references to that result. This problem does not occur with indirect triples.

Instruction

35	(0)
36	(1)
37	(2)
38	(3)
39	(4)
40	(5)

	OP	arg1	arg2
0	-	c	
1	*	b	(0)
2	-	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)

Fig: Indirect triple representation of three address code

## Static single Assignment Form = (SSA)

↳ SSA is a special case of 3-address code. SSA is an intermediate representation that facilitates certain code optimizations. → In SSA each assignment to a variable should be specified with distinct names

$$\underline{\text{Eg}} := P = a + b$$

$$Q = P - c$$

$$P = Q * d$$

$$P = e - d$$

$$Q = P + Q$$

$$P_1 = a + b$$

$$Q_1 = P_1 - c$$

$$P_2 = Q_1 * d$$

$$P_3 = e - P_2$$

$$Q_2 = P_3 + Q_1$$

(a) Three-address code      (b) static single assignment form.

Eg := Intermediate program in three-address code SSA

→ The least no. of temporary variables required to create 3-address code in SSA.

\* A variable can only be initialized once in L-H-S

\* A variable which is initialized in L-H-S could only be used R-H-S

(9)

Control flow:

Simple if, if-else, else-if, switch, for, while, do-while.  
The translation of statements such as if-else-statement and while-statement is tied with translation of Boolean Expressions.

→ Boolean Expressions are used to.

i) change the flow of control <sup>→ Boolean exps are used as conditional exps in stmts that alter the flow of control.</sup>

ii) compute the logical values <sup>for e.g. if (E) S,</sup>

Boolean Expressions:

→ A Boolean Expression can represent true or false as value.

Boolean Expressions are composed of boolean operators

&&, ||, and !

→ Boolean Expressions are generated by the following grammar

$$B \rightarrow B \mid B \mid B \&\& B \mid ! B \mid (B) \mid E \text{ rel } E \mid \text{true} \mid \text{false}$$

→ AND (&) OR are left-associative

→ "NOT" has higher precedence than AND & or

short circuit code: (Jumping code)

In short-circuit code, the boolean operators &&, || and ! are translate into jumps.

→ In short-circuit code the 2nd <sup>(expression)</sup> argument is evaluated only if 1st argument does not suffice to determine the value of Expressions.

Eg: if (x < 100 || x > 200 && x != y) x = 0;

In this translation the BE is true if control reaches label L<sub>2</sub>.  
If the expression is false, control immediately to L<sub>4</sub>, skipping L<sub>2</sub> and the assignment x = 0.



```

if x < 100 goto L2
if false x > 200 goto L1
if false x = y goto L1
L2: x = 0
L1:
    
```

eg 2:  $(x == y || y == z)$  ...

Fig: Jumping code.

Flow of control statements:

→ Translation of Boolean expressions control - statements into three-address code.

Grammars

```

S → if (B) S1      (B) S → if (B) then S1
S → if (B) S1 else S2
S → while (B) S1
    
```

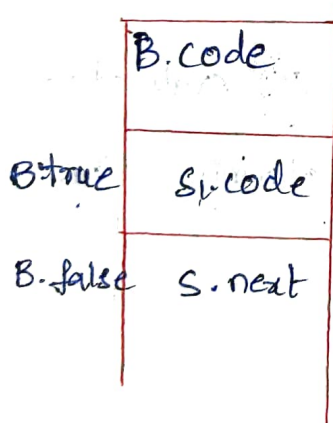
↳ condition (B) Boolean expression

∴ Grammars for simple if, if-else, while statements

(1)  $S \rightarrow \text{if } (B) \text{ then } S_1$  (B) is evaluated 1st

code for simple if:

Semantic Rule:



B.true = newlabel()  
 B.true = S1.next = S.next    B.false = S1.next = S.next  
 Intermediate code =  
 $S.code = B.code || \text{label}(B.true) || S1.code$

Fig: SDD for simple if-statement

if ( )    ↳ true, newlabel() function produce three address code for B.true.

```

if ( )
  ↓
  ↓
  ↓
  S
    
```

Control flow Translation of Boolean Expression, (d)  
 Three address code for Boolean Expression (d) CDD (d) CDT for Boolean exp

production

Semantic Rules

$B \rightarrow B_1 \parallel B_2$

$\{ B_1 \cdot \text{true} = B \cdot \text{true};$

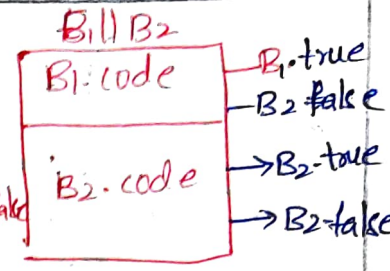
$B_1 \cdot \text{false} = \text{newlabel}();$

$B_2 \cdot \text{true} = B \cdot \text{true};$

$B_2 \cdot \text{false} = B \cdot \text{false};$

Intermediate code:

$B \cdot \text{code} = B_1 \cdot \text{code} \parallel \text{label}(B_1 \cdot \text{false}) \parallel B_2 \cdot \text{code}$



$B \rightarrow B_1 \&\& B_2$

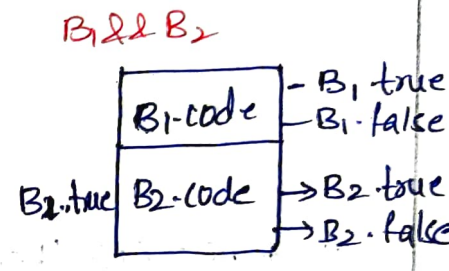
$\{ B_1 \cdot \text{true} = \text{newlabel}();$

$B_1 \cdot \text{false} = B \cdot \text{false};$

$B_2 \cdot \text{true} = B \cdot \text{true};$

$B_2 \cdot \text{false} = B \cdot \text{false};$

$B \cdot \text{code} = B_1 \cdot \text{code} \parallel \text{label}(B_1 \cdot \text{true}) \parallel B_2 \cdot \text{code}$



$B \rightarrow !B_1$

$\{ B_1 \cdot \text{true} = B \cdot \text{false};$

$B_1 \cdot \text{false} = B \cdot \text{true};$

$B \cdot \text{code} = B_1 \cdot \text{code} \}$

$B \rightarrow \text{true}$

$\{ B \cdot \text{code} = \text{gen}(\text{'goto' } B \cdot \text{true}); \}$

$B \rightarrow \text{false}$

$\{ B \cdot \text{code} = \text{gen}(\text{'goto' } B \cdot \text{false}); \}$

$B \rightarrow E_1 \text{ relop } E_2$

$\{ B \cdot \text{code} = E_1 \cdot \text{code} \parallel E_2 \cdot \text{code}$

$\parallel \text{gen}(\text{'if' } E_1 \text{ relop } E_2 \text{ 'goto' } B \cdot \text{true})$

$\parallel \text{gen}(\text{'if' } E_1 \text{ relop } E_2 \text{ goto$

$\parallel \text{gen}(\text{goto } E \cdot \text{false})$

$\{ E_1 \cdot \text{true} = E \cdot \text{true};$

$E_1 \cdot \text{false} = E \cdot \text{false};$

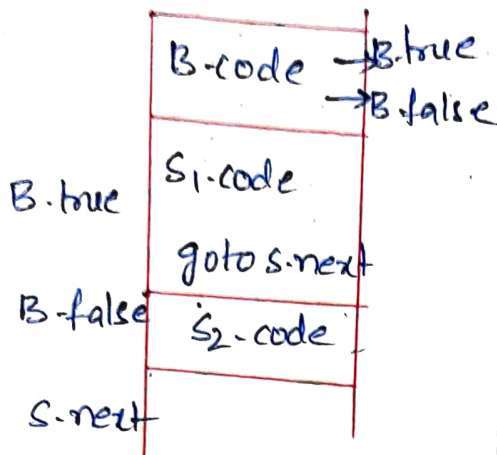
$E \cdot \text{code} = E_1 \cdot \text{code}; \}$

eg  $a < b$   
 $\text{if } a < b \text{ goto } E \cdot \text{true}$   
 $\text{goto } E \cdot \text{false}$

$E \rightarrow (E_1)$

$S \rightarrow \text{if } (B) \text{ then } S_1 \text{ else } S_2$

code for if-else:

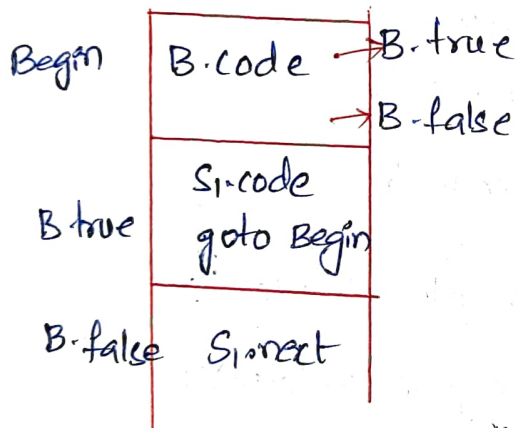


Semantic rules for if-else stmt:

$B.true = \text{newlabel}(C)$   
 $B.false = \text{newlabel}(C)$   
 $S_1.next = S.next$   
 $S_2.next = S.next$   
 $S.code = \text{Intermediate Three address code} =$   
 $S.code = B.code \parallel \text{label}(B.true) \parallel S_1.code$   
 $\parallel \text{gen}('goto s.next')$   
 $\parallel \text{label}(B.false) \parallel S_2.code$

(iii) while (B) then S<sub>1</sub>

code for while



Semantic Rules

$Begin = \text{newlabel}(C)$   
 $B.true = \text{newlabel}(C)$   
 $B.false = S.next$   
 $B.next = begin$

Intermediate code

$S.code = \text{label}(Begin) \parallel B.code$   
 $\parallel \text{label}(B.true) \parallel S_1.code$

production

$P \rightarrow S$

Semantic Rules:  $\parallel \text{gen}('goto begin')$

$S \rightarrow \text{assign}$

$S.next = \text{newlabel}(C)$

$P.code = S.code \parallel \text{label}(S.next)$

$S.code = \text{assign-code}$

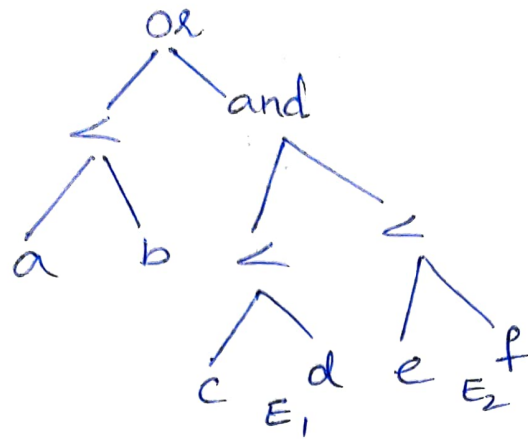
$S \rightarrow S_1 S_2$

$S_1.next = \text{newlabel}(C)$   $S_2.next = S.next$

$S.code = S_1.code \parallel \text{label}(S_1.next) \parallel S_2.code$



eg: ①  $a < b$  or  $c < d$  and  $e < f$



if  $a < b$  goto E.true  
goto  $E_1$

$E_1$ : if  $c < d$  goto  $E_2$   
goto E.false

$E_2$ : if  $e < f$  E.true  
goto E.false

eg: ② if  $(x < 100 \parallel x > 200 \text{ \& } x \neq y)$ ,  $x = 0$

if  $x < 100$  goto  $L_2$

goto  $L_3$

$L_3$ : if  $x > 200$  goto  $L_4$

goto  $L_1$

$L_4$ : if  $x \neq y$  goto  $L_2$

goto  $L_1$

$L_2$ :  $x = 0$

$L_1$ :

## Type and Declarations:-

\* Type checking uses logical rules to decide about the behaviour of program at runtime.

\* It also ensures that types operand match type expected by the operators.

Eg:- "&&" operation Java expect its two operands to be boolean

int \* float  $\rightarrow$  type error

$\rightarrow$  Determine the storage needed

### Translation Application:

Compilers translate a type of name into storage

Compiler also determines the amount of storage required to store the type name at run time.

### Type Expression:-

Type Expression is either a basic type or formed by applying an operator called type constructs to a type expression.

$\rightarrow$  T.E are used represent the structure of type,

$\rightarrow$  T.E are primitive datatypes.

$\rightarrow$  Type name := is a Type Expression Eg:- ~~int~~ typedef abc int.

Type Expressions are of two types.

(i) Basic type := Basic type for language are int, real; boolean, char, float, and void. A special type, type-error is used to indicate type error.

Eg:- int x;

Eg:- type abc int;

int a;  
abc b;

is a=b;  $\rightarrow$  depend on language

(ii) type constructs (or) type name :=

$\rightarrow$  type constructs applied to list of type expressions.

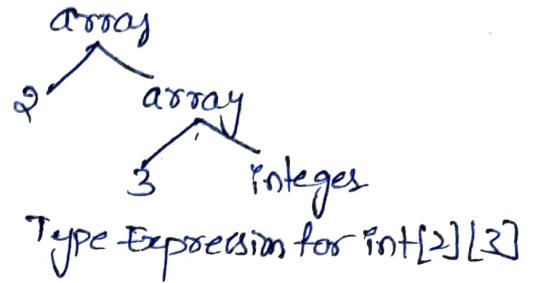
$\rightarrow$  types are formed applying an operator called type constructs to type expression.

(i) Arrays := Arrays are specified as array (I, T) where  $I \rightarrow$  Int (or) range of integers,  $T \rightarrow$  Type.

Eg 1 := In "C" Declaration "int a[100]" identifies type of "a" to be array(100, integer)  $\downarrow$  int[100] a;

Eg 2 := T.E for int[2][3], "2 array with 3-integers".

obj name  $\leftarrow$  array (2, array(3, integer))  
 $\downarrow$   
 Type Expression



Eg 3 := int a[100], b[50];  
a=b X type error.

$\rightarrow$  A type Expression can be formed by applying array constructor to a number & type expression.

(ii) Record := A record is a data structure with name fields.

$\rightarrow$  A type Expression can be formed by applying a record type constructor to the field name and their types.

Eg 1 := Struct st  
 {  
 int s;  
 float f;  
 };  
 Struct st s1;  
 record r1 (int, float)  
 record (s1, integer)  
 record (s1, float)

Eg 2 := Named records are product with named elements for record structure with 2-named fields.  
 length (an integer) and word (of type array (10, char))  
 the record is of type.  
 record (length X Int) X (word X array (10, char))  
 struct  
 { int length  
 char word[10]

$\rightarrow$  Type Expression may contain variable whose values are T.E eg: int a=5

Product := s and t are 2 T.E then their cartesian product sxt is a TYP Expression eg := int \* int.

Function := Function maps a collection of types to another represented by  $D \rightarrow R$  where D is domain R is range of function.

Eg := int f1 (int x, char y, float z) Domain = (int x char x float)  
 {  
 return m; Range -  
 o/p := int

$\rightarrow$  T.E "int \* int  $\rightarrow$  char" represent a function that takes 2-integers & returns a char value



Type Equivalence:-

→ Two type are said to be equivalent if and only if an operand of one type in an expression is substituted for one of the other type, without type conversion.

type equivalence are of two types.

i) Name equivalence:-

The two type expression are said to be name equivalence if they they have same name & label.

Eg 1:- typedef int value;  
 typedef int total;  
 ;  
 value var1, var2;  
 total var3, var4;

Eg 2:- type def struct Node  
 {  
 int x;  
 } node;  
 node \* first & second;  
 struct node \* last1, \* last2;

→ in the above eg1, var1 and var2 are name equivalence because their types are same.

→ var3 & var4 also Name equivalence.

→ but var1 & var3 are not name equivalent because their types are different

ii) Structural equivalence:-

→ If two expression are the basic type (a)

→ Formed by applying the same constructs to structurally types equivalent types then those expression are called structurally equivalent

- (i) It checks the structure of type
- (ii) Determines equivalence by whether they have same constructs applied to structurally equivalent types

Eg := type array (I<sub>1</sub>, T<sub>1</sub>) and array (I<sub>2</sub>, T<sub>2</sub>) structurally

equivalent if I<sub>1</sub> = I<sub>2</sub> & T<sub>1</sub> = T<sub>2</sub>

I<sub>i</sub> → Index of array

T<sub>i</sub> → type of

array [a[100], b[50]]

array a[100], b[100]

↓

structurally equivalent

Eg1: type def int value ← x

typedef int number ← y

x := array (50, int)

y := array (100, int)

Eg2:

S <sub>1</sub>	S <sub>2</sub>	Equivalence	Reason
char	char	S <sub>1</sub> is equivalent to S <sub>2</sub>	Similar basic type
pointer (char)	pointer (char)	S <sub>1</sub> is equivalent to S <sub>2</sub>	Similar constructs pointer to the char type.

Declarations :=

D → T id ; D E

T → B c / record ' { D } '

B → int / float

C → e / [num] e

D → Sequence of declarations.

T → basic & array and record types

B C → 'component' - generates zero or more integers within the brackets.

- Array type consists of basic type specified "B", followed by array component C.

Eg: `int [10][11]`

- Record type is sequence of declaration for field of the record all surrounded by curly braces

record {int, a}

### Storage layout for local Names! =

→ compiler converts the typenames into the storage.

→ and determines the amount of storage needed to store the typename at runtime.

→ at compile time we can use these amount to assign a <sup>type</sup> name to relative address.

$$\text{relative address} = \text{offset} + \text{program counter}.$$

→ Relative & types are saved in symbol table entry for type name.

→ Data of varying length such as string or whose size cannot determined until runtime such as dynamic arrays.



→ The width of a type is no. of storage units needed for objects of that type.

SAT computes types and their widths for basic and array types.

$T \rightarrow B \{ t = B.type ; w = B.width ; \}$

$C \{ t.type = C.type ; T.width = C.width ; \}$

$B \rightarrow int \{ B.type = integer ; B.width = 4 ; \}$

$B \rightarrow float \{ B.type = float ; B.width = 8 ; \}$

$C \rightarrow E \{ C.type = t ; C.width = w ; \}$

$C \rightarrow [num] t_1 \{ C.type = array (num-value, C_1.type) ; C.width = num-value \times C_1.width ; \}$

Fig: SAT for computing their types & widths

→ These declarations are represented with DAG & parse tree

Eg: parse tree for int [2] [3]

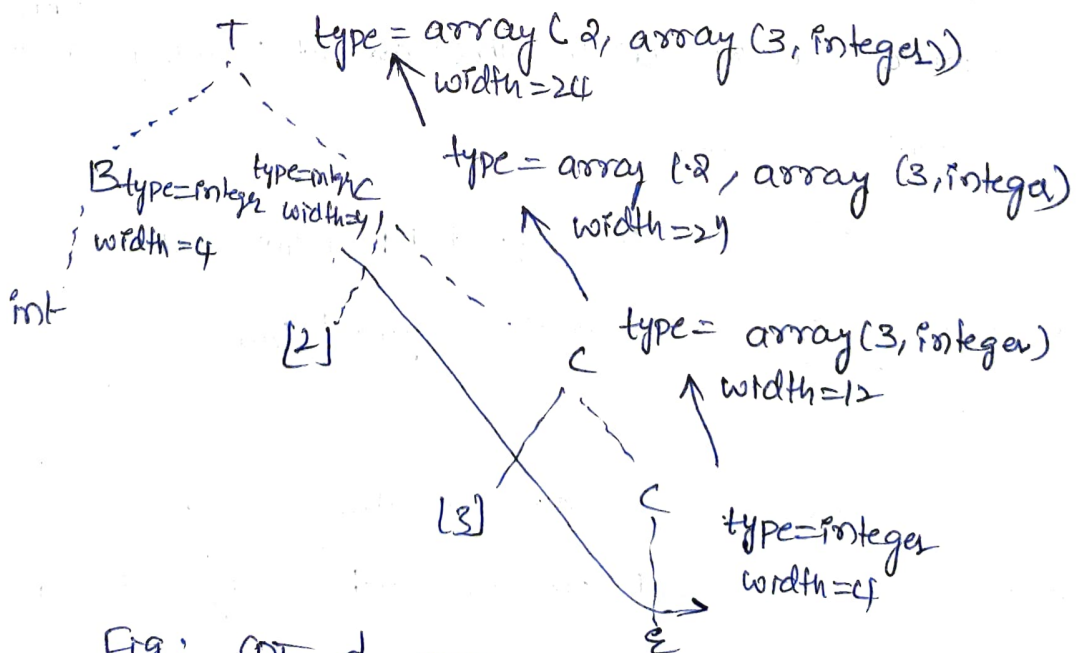


Fig: SAT of array types

Sequence of declarations:

→ In procedures all the declarations are passed at a time.

→ all declarations in single procedure to be  $P$  as a group.

$$P \rightarrow D \{ \text{offset} = 0; \}$$

$$D \rightarrow T \text{ id}; \{ \text{top.put}(\text{id.lexeme}, \text{T.type}, \text{offset}); \}$$

$$(a) \text{ id } T; \text{ offset} = \text{offset} + \text{T.width}; \}$$

$$D; D$$

$$D \rightarrow \epsilon$$

offset — is variable to keep track of the next available relative address.

$D \rightarrow T \text{ id}; D$  — creates a symbol table entry for executing  $\text{top.put}(\text{id.lexeme}, \text{T.type}, \text{offset})$

top — The current symbol table

top.put → ~~new~~ creates a symbol table entry for  $\text{id.lexeme}$  with type & relative address.

Field in Records & classes:

$$T \rightarrow \text{record } \{ \text{D}' \}$$

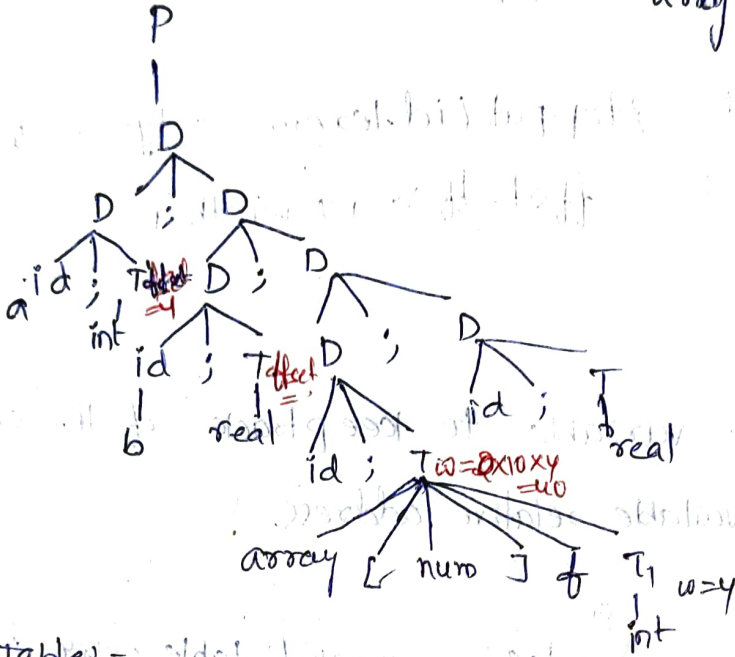
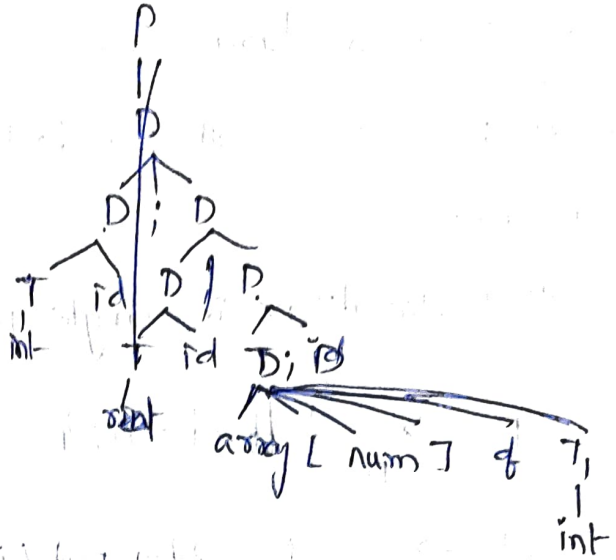
The field in this record is type specified by the sequence of declarations grouped by  $D$ .

- The field names with record must be distinct
- The offset & relative address for fieldname is relative to the data area for that record

Eg 1 =

```

{
  a: int;
  b: real;
  c: array(10) of integer;
  d: ↑real;
}
    
```



Symbol table =

Name	Type	offset	
a	integer	0 [0-3]	offset = 0 + 4 = 4
b	real	4	offset = 0 + 4 + 8 = 12
c	array(10, int)	12	offset = 12 + 40 = 52
d	real	52	



## Type checking:-

- Compiler checks whether the program is following type rules or not.
- information about data types is maintained & Computed by compiler.
- Type checker is a module of a compiler devoted to typechecking tasks.
- To do typechecking a compiler needs to assign a TE to each component of source program.
- Compiler determines TE conform to collection of logical rules that is called type system for the source language.
- Typechecking. catch the errors in program.
- Assign types to values.
- Simple situation:- check types of objects & report a type error in case of a violation.
- more complex:- Incorrect types may be corrected (type Coercing).

Static	Dynamic
→ Type checking done at compile time.	→ perform during program Execution.
→ properties can be verified before program run.	→ permits programmer to be less concern with C, Pascal strongly.
→ Can catch many Common Errors.	→ Mandatory in some situations such as array, bounds check.
→ Desirable when faster Execution importance	→ more robust and clearer Code

Eg: Pascal, C-type

→ Type checking have been used to ~~generate~~ improve the Security of System.

Rules for Type checking:-

Type checking has two forms

i) Synthesis

ii) Interference

### i) Type Synthesis :-

→ It derives the expressions from the types of its subexpressions.

→ It must be declared before they are used.

Ex:- The type of  $E_1 + E_2$  is defined in terms of the types of  $E_1$  and  $E_2$ .

If  $f$  has type  $s \rightarrow t$  and  $x$  has type  $s$ , then expression  $f(x)$  has type  $t$

Ex:- `add(int a, float b)`

{

}

`fn add(float c, int d) → t`

{

`add(2, 2.5)`

}

`add(float, int)`

[ ∴ int changes to float  
float changes to int ]



→ Here  $f$  and  $x$  denote expression,  $s \rightarrow t$  denote a function from  $s$  to  $t$ .

→ This rule for functions with one argument carries over to functions with several arguments.

ii) Type inference:-

→ It generally determines the type of language construct from the way it is used.

→ Ex:-  $E_1 + E_2$  i.e.,  $\begin{matrix} 2 + 5 \\ \text{int} \quad \text{int} \end{matrix} = \text{Datatype will be int}$

$\begin{matrix} abc + abc \\ (\text{string}) \quad (\text{string}) \end{matrix} = \text{Datatype will be string}$

→ There is no need to declare variables.

→ Type inference are used in meta languages.

If  $f(x)$  is an expression

then for some  $\alpha$  and  $\beta$ ,  $f$  has a type  $\alpha \rightarrow \beta$

and  $x$  has type  $\alpha$

## Type Conversion or type Casting:-

→ A type cast is basically a Conversion from one type to another.

→ There are two types of Conversions

- 1) Implicit type Conversion
- 2) Explicit type Conversion

### 1) Implicit type Conversion:- (smaller to bigger)

→ If a compiler Converts one data <sup>type</sup> into another type of data automatically.

→ There is no data loss

Ex:- short a = 20;

int b = a; // Implicit Conversion

Assign:- bool → char → short int → int → long → float

### 2) Explicit type Conversion:-

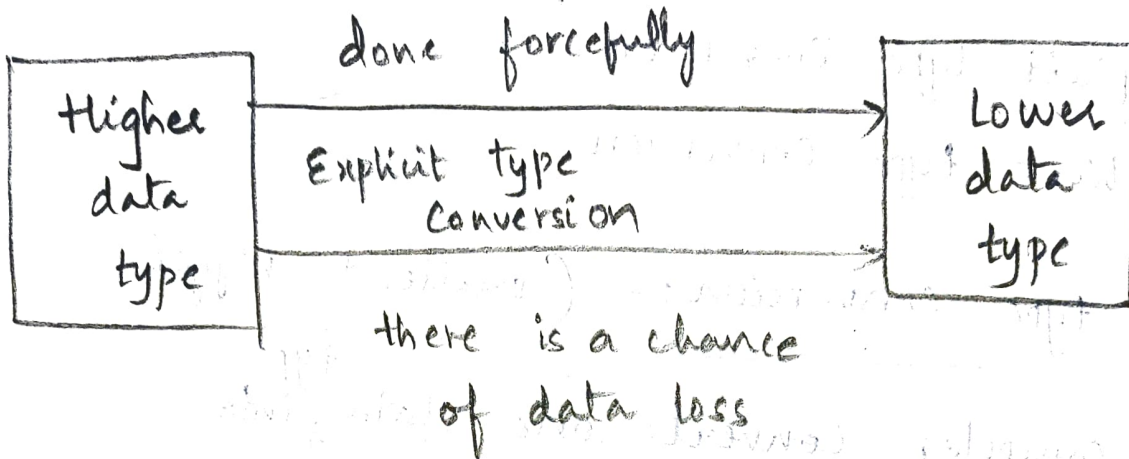
→ When data of one type is converted explicitly to another type with the help of predefined functions.

→ There is a data loss.

→ Conversion done forcefully.

→ Some Conversions cannot be made implicitly

int to short (∵ int range is more than short so there is a chance of data loss)



Ex:-  $t_1 = (\text{float})^2$   
 $t_2 = t_1 * 3.14$

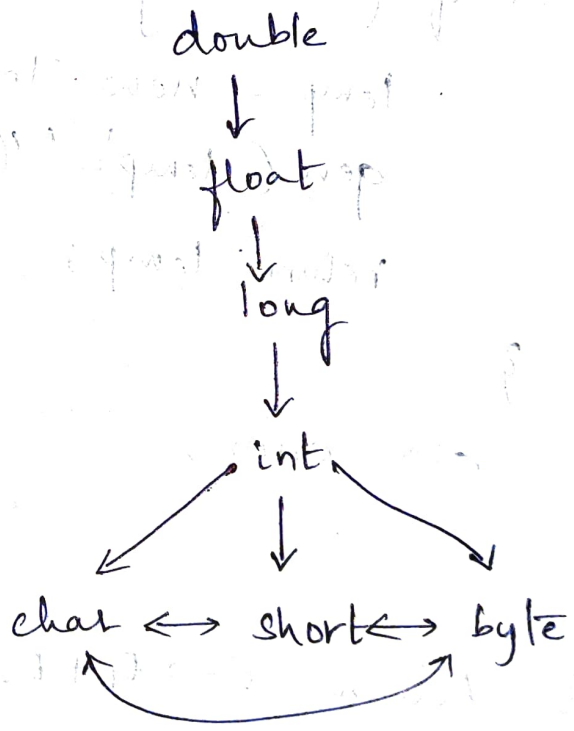
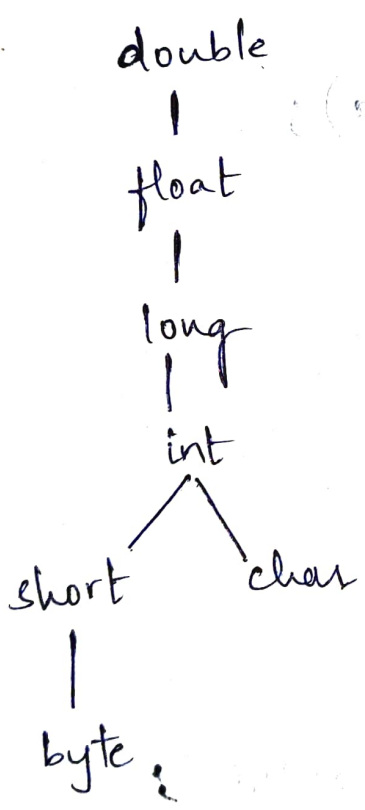
Ex:- if ( $E_1 \cdot \text{type} = \text{integer}$  and  $E_2 \cdot \text{type} = \text{Integer}$ )  
 $E \cdot \text{type} = \text{integer};$

else if ( $E_1 \cdot \text{type} = \text{float}$  and  $E_2 \cdot \text{type} = \text{Integer}$ )  
 $E \cdot \text{type} = \text{float};$

- two Conversions
- i) Widening Conversions
  - ii) Narrowing Conversions.



- Widening conversions generally preserve information
- narrowing conversions generally lose information
- widening rules - any lower can be widened to higher type.
- a char can be widened to int or float but char cannot be widened to short.
- narrowing rules - a type s can be narrowed to type t if there is a path from t.



1)  $\max(t_1, t_2)$  takes two types  $t_1$  and  $t_2$  and returns the maximum of two types in widening hierarchy.

2)  $\text{widen}(a, t, w)$  generates type conversions if needed to widen the contents of an address  $a$  of type  $t$  into a value of type  $w$ .

```
Addr { widen( Addr a, Type t, Type w)
```

```
    if (t=w) return a;
```

```
    else if (t = integer and w = float) {
```

```
        temp = new Temp();
```

```
        gen( temp = '(float)' a );
```

```
        return temp;
```

```
    }
```

```
    else error;
```

```
}
```

→ Semantic Action  $E \rightarrow E_1 + E_2$

```
 $E \rightarrow E_1 + E_2$  {  $E \cdot \text{type} = \max(E_1 \cdot \text{type}, E_2 \cdot \text{type});$ 
```

```
     $a_1 = \text{widen}(E_1 \cdot \text{addr}, E_1 \cdot \text{type}, E \cdot \text{type});$ 
```

```
     $a_2 = \text{widen}(E_2 \cdot \text{addr}, E_2 \cdot \text{type}, E \cdot \text{type});$ 
```

```
     $E \cdot \text{addr} = \text{new Temp}();$ 
```

```
     $\text{gen}( E \cdot \text{addr} = 'a_1' + 'a_2');$  }
```

## Overloading of Functions and operators:-

An overloaded Symbol has different meanings depending on its context. Overloading is resolved when a unique meaning is determined for each occurrence of a name.

Ex:- The + operator in Java denotes either string concatenation or addition, depending on the type of its operands.

```
void err() { --- }
```

```
void err(String s) { - - }
```



Intermediate code for switch statements (a) Three Address Code  
 Translation of switch statements:

Switch statement syntax:

```

switch (E)
{
    case v1: s1
    case v2: s2
    ...
    case vn-1: sn-1
    default: sn
}
    
```

eg := switch (x+y)

```

{
    case 1: a = a + 2;
            break;
    case 4: b = b * 5;
            break;
    case 6: c = c / 2;
            break;
    default: d = d - 2;
            break;
}
    
```

Translation of switch statements:

Code to evaluate E into t  
 goto test

L<sub>1</sub>: code for s<sub>1</sub>  
 goto next

L<sub>2</sub>: code for s<sub>2</sub>  
 goto next

L<sub>n-1</sub>: code for s<sub>n-1</sub>  
 goto next

L<sub>n</sub>: code for s<sub>n</sub>  
 goto next

test: if t = v<sub>1</sub>, goto L<sub>1</sub>  
 if t = v<sub>2</sub>, goto L<sub>2</sub>

if t = v<sub>n-1</sub>, goto L<sub>n-1</sub>, goto L<sub>n</sub>  
 next:

Three Address Code :=

if t = v<sub>1</sub>, goto L<sub>n-1</sub>  
 goto L<sub>n</sub>

next:

1. t<sub>1</sub> = x + y.

2. If (t<sub>1</sub> = 1) goto 8

3. If (t<sub>1</sub> = 4) goto 11

4. If (t<sub>1</sub> = 6) goto 14

5. t<sub>2</sub> = d - 2

6. d = t<sub>2</sub>

7. goto Next

8. t<sub>3</sub> = a + 2

9. a = t<sub>3</sub>

10. goto Next

11. t<sub>4</sub> = b \* 5

12. b = t<sub>4</sub>

13. goto Next

14. t<sub>5</sub> = c / 2

15. c = t<sub>5</sub>

16. goto Next

17. Next

$t_i = v_{n-1}$  goto  $k_{n-1}$

goto  $k_n$

next:

Intermediate code for ~~production~~ procedures := (d) Three address code

$D \rightarrow \text{define } T \text{ id } (F) \{S\}$  |  $S \rightarrow \text{adds stmts that returns the value of an expression.}$

$F \rightarrow E \mid T \text{ id}, F$

$E \rightarrow \text{adds function calls, with actual parameters A.}$

$S \rightarrow \text{return } E;$

Non-terminals D and T generates declarations and types.

$E \rightarrow \text{id } (A);$

$\rightarrow$  Function definition generated by D consists of keyword define, a return type, the function name, formal parameters in parenthesis and function body consisting of statements.

$A \rightarrow E \mid E, A$

```
float add( )
    float a;
    float b;
}
return add( );
}
```

$\rightarrow$  Non-terminal F generates zero or more formal parameters.

where formal parameters consists of a type followed by identifiers

$\rightarrow$  Non-terminal S & E generate statements & expressions.

$\rightarrow$  In three-address code, a function call is unraveled into the evaluation of parameters in preparation for a call, followed by call itself and the parameters are passed by value.

Eg: If the given function is in the form of

$P(A_1, A_2, A_3, \dots, A_n)$  Eg:  $n = f(A, B);$

param  $A_1$ ,

param  $\dots A_2$

|

param  $\dots A_n$

call  $P, n$

Translated into three-address code as follows

1)  $t_1 = i * 4$

2)  $t_2 = a[t_1]$

3) param  $t_2$

4)  $t_2 = \text{call } f, 1$

5)  $n = t_2$

$P \rightarrow$  is function name.

$n \rightarrow$  no. of arguments.

- The first 2 lines compute the value of expression  $a[i]$  into temporary  $t_2$ ,
- line 3 makes  $t_2$  <sup>an</sup> actual parameter for the call on line 4 of  $f$  with one parameter
- line 5 assign the value returned by the function call to  $t_3$ .

### Functions types:-

- The type of function must encode the return type and types of the return type and the types of the formal parameters.
- Let "void" be a special type that represent no parameters or no return type.
- Whenever the function is called the function name is name entered into the symbol table for use in the rest of the program.
- The formal parameters are stored in the Activation Record. For storing formal parameters the Activation Records are used.

Eq 2 := void main()

```
{
  int x, y
  ...
  swap(&x, &y);
}
```

Three address code

1. call main
2. param &x
3. param &y
4. call swap, 2

void swap(int \*a, int \*b)

```
{
  int i;
  i = *b;
  *b = *a;
  *a = i;
}
```

Eq 3 := float add() or float add(int a)

float add(int a, float b)

```
{
  return add() or return add(x),
  return add(x, y);
}
```

Formal parameters

Actual parameters