

* FREQUENT PATTERNS

the patterns that appear frequently in dataset

↓
include frequent data items, sequences, Substructures

Example: Milk and bread.

Market Basket Analysis:

process of Analysing customer buying habits by finding the associations b/w the dif. items that a customer

will place in their baskets.

- mainly useful for sellers.

Strategies Used:

1. placing them together.

2. placing them at ② different ends.

- This Analysis will help Sellers to plan their Shelf space for increased Sales.

- frequent patterns are represented by association Rules

Ex: Computer and anti-virus.

Support:

identifies how frequently a rule is applied to given dataset.

$$S(P \rightarrow Q) = \frac{P \cup Q}{N} \quad (\because N = \text{Total Transactions})$$

$$P(A \cup B)$$

Confidence

de-fin

- fro

* MINING

Apriori Alg

- by R.

- Shows

Objective

Example

Confidence:

define frequent occurrence of items of a in transactions of

$$C(P \rightarrow Q) = p(B/A)$$

* MINING METHODS

- Apriori Algorithm
- FP Growth Algorithm

Apriori Algorithm

- by R. Agrawal and R. Srikant

- Shows how objects are associated with each other

Objective: To generate an association.

Example:

minimum Support = 50%
Threshold confidence = 70%

T/D	Items
100	① ③ ④
200	② 3 ⑤
300	1 2 3
400	2 5

Itemset	Support	minSupport
1	2	2/4 = 50%
2	3	3/4 = 75%
3	3	3/4 = 75% (X)
4	1	1/4 = 25%
5	3	3/4 = 75%

Itemset: (1, 2, 3, 5)

— Form pairs

(1,2) (1,3) (1,5) (2,3) (2,5) (3,5)

itemset	Support	minimum Support
(1,2)	1	$1/4 = 25\%$ (x)
(1,3)	2	$2/4 = 50\%$
(1,5)	1	$1/4 = 25\%$ (x)
(2,3)	2	$2/4 = 50\%$

itemset = (1,3) (2,3) (2,5) (3,5)

— Form triplets

(1, 2, 3) (1, 2, 5) (1, 3, 5) (2, 3, 5)

itemset	Support	minimum Support
(1, 2, 3)	1	$1/4 = 25\%$
(1, 2, 5)	1	$1/4 = 25\%$
(1, 3, 5)	1	$1/4 = 25\%$
(2, 3, 5)	2	$2/4 = 50\%$

Itemset = (2, 3, 5)

— now ~~that~~ lets calculate Support and confidence

Confidence = Support (A ∪ B) / Support of A
Using (2, 3, 5) we can generate association Rules

Rules	Support	confidence
(2 ¹ 3) → 5	2	$2/2 = 100\%$
(3 ¹ 5) → 2	2	$2/2 = 100\%$
(2 ¹ 5) → 3	2	$2/3 = 66\%$ (x)
2 → (3 ¹ 5)	2	$2/3 = 66\%$ (x)
5 → (2 ¹ 3)	2	$2/3 = 66\%$ (x)
3 → (2 ¹ 5)	2	$2/3 = 66\%$ (x)

$$(2^1 3) \rightarrow 5 \text{ - confidence} = \frac{\text{Support}(A \cup B)}{\text{Support}(A)} \quad 2, 3, 5$$

$$s \frac{((2^1 3) \cup 5)}{s(2^1 3)} = \frac{2}{2} = 100\%$$

$$2 \rightarrow (3^1 5) : \frac{s(2 \cup (3^1 5))}{s(2)} = \frac{2}{3} = 66\%$$

$\therefore (2^1 3) \rightarrow 5, (3^1 5) \rightarrow 2$ are association rules

* Fp GROWTH ALGORITHM

Fp \rightarrow Frequent pattern

- is an efficient and scalable method for mining the complete set of fp using a tree structure for storing information about fp called fp tree.

Example

minimum Support = 30%

Trans id	Items
1	E, A; D, B
2	D, A, E, C, B
3	C, A, B, E
4	B, A, D
5	D
6	D, B
7	A, D, E
8	B, C

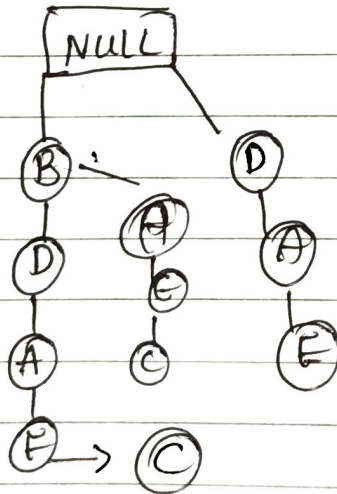
write priorities
 more frequency \rightarrow
 more priority
 same frequency \rightarrow
 FCFs

- list out the priorities

itemset	frequency	priority
A	5	\rightarrow 3
B	6	\rightarrow 1
C	3	\rightarrow 5
D	6	\rightarrow 2
E	4	\rightarrow 4

- Order items according to priority.

Trans ID	Items	Ordered Items
1	E A D B	B D A E
2	D A E C B	B D A E C
3	C A B E	B A E C
4	B A D	B D A
5	D	D
6	D B	B D
7	A D E	D A E
8	B C	B C



B - 1, 2, 3

D - 1, 2

A - 1, 2

E - 1, 2

C - 1

A - 1

E - 1

C - 1

D - 1, 2

A - 1

* MINING VARIOUS KINDS OF Association Rules

- (4) types

1. mining Multilevel association Rules
 * mining Uniform Support for all levels

- Using reduced minimum Support at lower levels.

- using item or group based minimum Support

2. mining Multidimensional association rules from Relational database or data warehouse.

3. mining multi dimensional association Rules using static discretisation of Quantitative attributes

4. mining quantitative association Rules.

* CORRELATION ANALYSIS

used to measure the relationship b/w 2 variables.

$$r_{A/B} = \frac{\sum (A - A') (B - B')}{(n-1) \sigma_A \sigma_B}$$

$r_{A/B}$ = Karl Pearson correlation coefficient.

A', B' = mean of A and B.

σ_A, σ_B = Standard deviation of A and B.

n = no. of tuples in db.

$r \rightarrow$ (3) values (0, -1, +1)

$r \rightarrow +1 \Rightarrow$ perfect positive correlation

$r \rightarrow 0 \Rightarrow$ NO correlation (no dependence)

$r \rightarrow -1 \Rightarrow$ perfect Negative correlation.

Example:

A	B
20	8
12	34
	4

$$r_{A/B} = \frac{\sum (A - A') (B - B')}{(n-1) \sigma_A \sigma_B}$$

$$A' = \frac{20+12+9}{3} = 13.66 \quad B' = \frac{8+34+4}{3} = 15.33$$

$$\sigma_A = \sqrt{\frac{\sum (A - A')^2}{n-1}}$$

$$= \sqrt{\frac{(20-13.66)^2 + (12-13.66)^2 + (9-13.66)^2}{2}} = 5.68$$

$$\sigma_B = \sqrt{\frac{\sum (B - B')^2}{n-1}}$$

$$= \sqrt{\frac{(8-15.33)^2 + (34-15.33)^2 + (4-15.33)^2}{2}} = 16.28$$

$$r_{A+B} = \frac{(20-13.66)(8-15.33) + (12-13.66)(34-15.33) + (9-13.66)(4-15.33)}{2 \times 5.68 \times 16.28}$$

$$= -1.00$$

$$\approx -1$$

i.e. negative correlation

* CONSTRAINT BASED ASSOCIATION MINING!

Constraint - Condition
- association Rules are generated based on conditions.

* Types of constraints:

1. Knowledge Type:

- Specifies the type of knowledge you want to mine - association, correlation, regression etc.

2. Data Constraints

- Specifies the type of data on which you want to generate the Rules.
- only task relevant data.

3. Dimension level Constraints.

Specifies the dimension or level concept hierarchy.

4. Interestingness Constraints

Support, confidence are used to identify.

5. Rule Constraints.

Specifies the form of rules to be mined.

↓
ways

1. meta-rules guided mining
2. constraint pushing.

* GRAPH PATTERN MINING

set of tools techniques used to mine frequent Subgroups Subgraphs.

- used to Analyse the properties of real world graphs
- used to Analyse how structure of graph will effect the rules

2 ways

1. Apriori based approaches
2. pattern growth approaches

Algorithms used:

1. Gspan \rightarrow all types
2. closed Graph \rightarrow closed Subgraphs.

Applications

1. in XML structures
2. anomaly detection
3. network Analysis
4. control flow Analysis
5. Biological structures etc,

* SEQUENTIAL PATTERN MINING: (Spm)
 sequence = set of ordered events

Ex: $S = \{e_1, e_2, e_3, e_4, e_5\}$

Spm \rightarrow process of finding frequent Subsequences from a set of sequences.

Sequences are represented by " $\langle \rangle$ "

<u>Normal transaction data</u>			<u>Sequential data</u>	
<u>CID</u>	<u>TID</u>	<u>Transactions</u>	<u>CID</u>	<u>Sequences</u>
①	100	a, b, c, d	1.	$\langle (abcd), (dep), (bcde), (aep) \rangle$
② 3	111	a, f, d, e		
①	122	d, e, f	3.	$\langle (afde), (bfsa), (afdc) \rangle$
3	133	b, f, s, a		
①	144	b, c, d, e		
3	155	a, f, d, c		
①	166	a, e, p		

Challenges in Spm:

- finding all Subsequences

<u>Sid</u>	<u>Sequence</u>
10	$\langle a (abc) (ac) d (cf) \rangle$
20	$\langle (ad) c (bc) (ae) \rangle$
30	$\langle (ef) (ab) (dfcb) \rangle$
40	$\langle eg (af) (bc) \rangle$

min-Sup = 2

min-Sup = 2

$\langle (ab)c \rangle$ (✓)

$\langle eg \rangle$ (X)

Algorithms used:

1. GSP (Generalised Sequential patterns)
2. SPAD E (vertical format based mining)
3. prefixspmin
4. claspm - for closed patterns